

Novel Enriched Indus River Flow Dynamics Optimization Algorithm to solve the Electrical Energy -Active Power Loss Reduction and Voltage Stability Enhancement

Lenin Kanagasabai*

Prasad V.Potluri Siddhartha Institute of Technology, Kanuru, Vijayawada, Andhra Pradesh -520007, India

Received 26 August 2023; Accepted 5 November 2023

Abstract

In this paper Periodic Knowledge acquisition and Replication inspired optimization algorithm, Enriched Indus River flow dynamics Optimization Algorithm, Trade union chief selection optimization, algorithm and Population based optimization, algorithm are designed to solve the Power loss Engineering problem. In Periodic Knowledge acquisition and Replication inspired optimization algorithm, Learning and adapting to the situations are more important in the human being life. Teaching and sequential learning, Solution to Contradictory Opinions, Ikigai and Kaizen, Understanding cosmos and Indus river flow watercourse flow dynamics algorithm are integrated to form the Enriched Indus River flow dynamics Optimization Algorithm. Trade union chief selection optimization is designed by imitating the elective procedure of the trade union to select the leader. Population is channelled by the examination region under the leadership of the chosen chief. In Population based optimization algorithm every optimal problem has an appetizing region which defined as Exploration region and it envisaged as a synchronize structure with a numeral of hatchets equivalent to the problem resolution parameters. Proposed Periodic Knowledge acquisition and Replication inspired optimization algorithm, Enriched Indus River flow dynamics Optimization Algorithm, Trade union chief selection optimization algorithm and Population based optimization algorithm are verified in G01–G24 benchmark functions, Six and IEEE 30, 57, 118 bus test systems.

Keywords: Knowledge, Acquisition, Replication, Teaching, Learning, Cosmos, Indus, Trade union, Population

1. Introduction

Many decades power loss reduction problem plays a challenging task in the transmission and distribution of electrical power. Many researchers [1-10] around the world have been constantly working on this topic in order to improve the quality of the power. Recently Dynamic reactive power optimization [11], Reactive Power Optimization of AC-DC Hybrid Distribution Network [12], Influence of Reactive Power Optimization [13], new Second-order Cone Programming [14], Improved Imperialist Competitive Algorithm [15], and Power Adjustment Based on Jacobi Matrix Decomposition [16] are designed and applied to solve the problem. Many nature inspired algorithms are used to solve the engineering problems [17-29].

In this work Periodic Knowledge acquisition and Replication inspired optimization (PRO) algorithm is applied to solve the problem. Any individual has to continuously acquire knowledge in the life span. Learning and adapting to the situations are more important in the human being life. Knowledge acquisition by an individual plays important role in his / her life to do any actions in efficient mode and to take decisions. This work emulates how an individual acquire knowledge and reproduce learned things to solve the problems in day to day life. Every individual possess cavities in their accrued knowledge. Any individual will try to learn from the elders and other

extraordinary people. It's a form of continuous learning in their life span. The individual will analyse himself how far his obtained knowledge will guide in their life span. Many times the individual will try to learn fast and move forward along with others in the society. In this aspect two segments are created; Knowledge acquisition and replication.

Teaching and sequential learning, Solution to Contradictory Opinions, Ikigai and Kaizen, Understanding cosmos and Indus river flow Watercourse flow dynamics algorithm are integrated to form the Enriched Indus River flow dynamics Optimization Algorithm (SINDHU) to enhance the search and attaining better solutions. Teaching and sequential learning process is imitated how scholars are learnt from the educators. In the formulation the solution is randomly distributed in the search space.

Group discussion will occur to find the right solution when contradictory opinion occurs. In the general brain storm sessions will be conducted among the groups to find solution for contradictory opinions. The discussion and analysis of each group will be led by the Group head. After all discussion and analysis completed, a common solution will be obtained.

Cluster of Groups had put forth a detailed discussion about Ikigai and Kaizen. Each adherent has unique perception or meaning about Ikigai and Kaizen. All the Groups conduct a Brain storm session and finally attain the real knowledge about Ikigai and Kaizen rendering to their conditions. Naturally society will have different opinions on Ikigai and Kaizen. It's vital to understand the real meaning of Ikigai and kaizen for the self and development of the nation.

*E-mail address: gklenin@gmail.com

ISSN: 1791-2377 © 2024 School of Science, IHU. All rights reserved.

doi:10.25103/jestr.171.25

Time is inestimable with a cyclical universe, where the existing cosmos was heralded and will be trailed by an endless sum of cosmoses. The single, divine personified soul is the lifespan power or mindfulness inside an existing individual. Contemporary physical science has revealed that the tempo of formation and annihilation is not only obvious in the shot of the periods and in the natal and demise of all existing individuals, but then again is likewise the identical spirit of inert substance. Rendering to quantum field concept, dance of formation and annihilation is the foundation of the very presence of substance. Contemporary physical science has thus discovered that each subatomic unit not only does a dynamism dance, but also an energetic procedure of formation and annihilation.

Watercourse flow optimization algorithm is initiated with the conjecture of sprinkle of rain. Indus River drains into Arabian Sea. Rendering to Indus River, Arabian Sea is picked as the premium entity, and quantity of sprinkled rain droplets in the region are selected to designate as watercourse and as river stream it drains into Arabian Sea.

Teaching and sequential learning, Solution to Contradictory Opinions, Ikigai and Kaizen, Understanding cosmos and Indus river flow Watercourse flow dynamics algorithm are integrated to form the Enriched Indus River flow dynamics Optimization Algorithm(SINDHU) to enhance the search and attaining better solutions.

Then in this paper Trade union chief selection optimization (TUCSO) algorithm is applied to solve the problem. TUCSO is designed by imitating the elective procedure of the trade union to select the leader. Vital motivation of TUCSO was the elective procedure, the picking the chief, and the influence of the workers alertness level on the electing their own chief for the trade union. TUCSO population is channelled by the examination region under the leadership of the chosen chief. TUCSO procedure is scientifically designed and it is grounded on exploration and exploitation.

In Population based optimization (PBO) algorithm every optimal problem has an appetizing region which defined as Exploration region and it envisaged as a synchronize structure with a numeral of hatchets equivalent to the problem resolution parameters. Populace associates passage in the Exploration region, targeting to touch the suitable optima. The standards of the problem resolution factors are defined by the location of the PBO associates in the Exploration region. Every associate of the populace delivers info to other associates of the populace about the condition in which they discover themselves. In PBO, iteration grounded procedure, associates of the populace passage to the optimal areas.

2. Engineering problem formulation

Active Power Loss Reduction and Voltage Stability Enhancement is an important problem in power system operation and control. Objective function of Electrical Power Loss Reduction Problem is demarcated as,

$$\text{Min } \tilde{F}(\bar{g}, \bar{h}) \quad (1)$$

$$M(\bar{g}, \bar{h}) = 0 \quad (2)$$

$$N(\bar{g}, \bar{h}) = 0 \quad (3)$$

Control (\bar{g}) and dependent (\bar{h}) vectors are defined as,

$$g = [VLG_1, \dots, VLG_{Ng}; QC_1, \dots, QC_{Nc}; T_1, \dots, T_{NT}] \quad (4)$$

$$h = [PG_{slack}; VL_1, \dots, VL_{N_{Load}}; QG_1, \dots, QG_{Ng}; SL_1, \dots, SL_{NT}] \quad (5)$$

where,

$Q_c \rightarrow$ reactive power compensator

$T \rightarrow$ Transformer tap

$V_g \rightarrow$ Generator voltage

$PG_{slack} \rightarrow$ Slack generator

$V_L \rightarrow$ Voltage in transmission lines

$Q_G \rightarrow$ Reactive power generator

Fitness functions are defined as follows,

$$F_1 = P_{Min} = \text{Min} \left[\sum_{m=1}^{NTL} G_m [V_i^2 + V_j^2 - 2 * V_i V_j \cos \theta_{ij}] \right] \quad (6)$$

$$F_2 = \text{Min} \left[\sum_{i=1}^{NLB} |V_{Lk} - V_{Lk}^{desired}|^2 + \sum_{i=1}^{Ng} |Q_{GK} - Q_{KG}^{Lim}|^2 \right] \quad (7)$$

where,

$F_3 =$ Minimize $L_{Maximum}$

$S_L \rightarrow$ Apparent power

$$L_{Max} = \text{Max}[L_j] \quad (8)$$

$$j = 1; N_{LB} \quad (9)$$

$$L_j = 1 - \sum_{i=1}^{NPV} F_{ji} \frac{V_i}{V_j} \quad (10)$$

$$F_{ji} = -[Y_1]^{-1} [Y_2] \quad (11)$$

$$L_{Max} = \text{Max} \left[1 - [Y_1]^{-1} [Y_2] \times \frac{V_i}{V_j} \right] \quad (12)$$

Parity constraints

$$0 = PG_i - PD_i - V_i \sum_{j \in N_B} V_j \left[G_{ij} \cos[\theta_i - \theta_j] + B_{ij} \sin[\theta_i - \theta_j] \right] \quad (13)$$

$$0 = QG_i - QD_i - V_i \sum_{j \in N_B} V_j \left[G_{ij} \sin[\theta_i - \theta_j] + B_{ij} \cos[\theta_i - \theta_j] \right] \quad (14)$$

where,

NB is the number of buses

PG, QG \rightarrow real and reactive power

Gij, Bij \rightarrow mutual conductance and susceptance

PD, QD \rightarrow real and reactive load

Disparity constraints

$$p_{gsi}^{min} \leq p_{gsi} \leq p_{gsi}^{max} \quad (15)$$

Reactive power generation (QGi)

$$Q_{gi}^{min} \leq Q_{gi} \leq Q_{gi}^{max}, i \in N_g \quad (16)$$

Load bus voltage (VLi)

$$VL_i^{min} \leq VL_i \leq VL_i^{max}, i \in NL \quad (17)$$

Transformers tap setting (Ti)

$$T_i^{\min} \leq T_i \leq T_i^{\max}, i \in N_T \quad (18)$$

Switchable reactive power compensations (QCi)

$$Q_c^{\min} \leq Q_c \leq Q_c^{\max}, i \in N_C \quad (19)$$

$$|SL_i| \leq S_{L_i}^{\max}, i \in N_{TL} \quad (20)$$

Generator bus voltage (VGi)

$$VG_i^{\min} \leq VG_i \leq VG_i^{\max}, i \in N_g \quad (21)$$

$$\begin{aligned} \text{Multi objective fitness (MOF)} &= F_1 + r_1 F_2 + u F_3 \\ &= F_1 \\ &+ \left[\sum_{i=1}^{NL} x_v [VL_i - VL_i^{\min}]^2 \right. \\ &\left. + \sum_{i=1}^{NG} r_g [QG_i - QG_i^{\min}]^2 \right] + r_f F_3 \end{aligned}$$

$$VL_i^{\text{minimum}} = \begin{cases} VL_i^{\max}, & VL_i > VL_i^{\max} \\ VL_i^{\min}, & VL_i < VL_i^{\min} \end{cases} \quad (22)$$

$$QG_i^{\text{minimum}} = \begin{cases} QG_i^{\max}, & QG_i > QG_i^{\max} \\ QG_i^{\min}, & QG_i < QG_i^{\min} \end{cases} \quad (23)$$

3. Periodic Knowledge Acquisition and Replication Inspired Optimization Algorithm

In this work Periodic Knowledge acquisition and Replication inspired optimization (PRO) algorithm is applied to solve the problem. Any individual must continuously acquire knowledge in the life span. Learning and adapting to the situations are more important in the human being life. Knowledge acquisition by an individual play's important role in his / her life to do any actions in efficient mode and to take decisions. This work emulates how an individual acquire knowledge and reproduce learned things to solve the problems in day-to-day life. Every individual possess cavities in their accrued knowledge. Any individual will try to learn from the elders and other extraordinary people. It's a form of continuous learning in their life span. The individual will analyse himself how far his obtained knowledge will guide in their life span. Many times the individual will try to learn fast and move forward along with others in the society. In this aspect two segments are created; Knowledge acquisition and replication. In the knowledge acquisition any individual will try to acquire the knowledge as continuous process and in the replication segment the individual will use the acquired knowledge to perform various actions, through this reflection the individual will understand about level and quality of learning.

In the Knowledge acquisition segment the individual are categorized as top level, middle and lower level rendering to the knowledge attained by the individual. There will be fissure between this level of individuals and it defined as,

$$\begin{cases} \vec{F}_A = \vec{Z}_{Top} - \vec{Z}_{Middle} \\ \vec{F}_B = \vec{Z}_{Top} - \vec{Z}_{Lower} \\ \vec{F}_C = \vec{Z}_{Middle} - \vec{Z}_{Lower} \\ \vec{F}_D = \vec{Z}_{R1} - \vec{Z}_{R2} \end{cases} \quad (24)$$

where F is fissure

\vec{Z}_{R1} and \vec{Z}_{R2} are the randomly selected individuals

The Knowledge acquisition parameter is defined as,

$$Ka_k = \frac{\|\vec{Fissure}_k\|}{\sum_{k=1}^D \|\vec{Fissure}_k\|} \quad (25)$$

$Ka_k \rightarrow$

k th fissure of normalized ratio Euclidean distance

$Ka_k \in [0,1]$

$Ka_k \rightarrow$

value high then individual acquire more knowledge

$k = A, B, C, D$

Individuals at diverse ranks in the progression procedure observe themselves differently. Any individual will assess the level of learnt knowledge by himself and sequentially try to acquire more knowledge.

$$L_i = \frac{\text{Knowledge acquisition disinclination}_i}{\text{Maximum Knowledge acquisition disinclination}_i} \quad (26)$$

$L_i \rightarrow$

smaller value then individual perform local exploitation

The transformation of Knowledge between the Top, Middle and lower level is defined as,

$$\text{Knowledge acquisition}_i = L_i \cdot Ka_k \cdot \vec{Fissure}_k \quad (27)$$

$k = A, B, C, D$

The individual will augment the knowledge through acquisition from others and it defined as,

$$\begin{aligned} \vec{Z}_i^{\text{iter}+1} &= \vec{Z}_i^{\text{iter}} + \vec{\text{Knowledge acquisition}}_1 + \\ &\vec{\text{Knowledge acquisition}}_2 + \vec{\text{Knowledge acquisition}}_3 + \\ &\vec{\text{Knowledge acquisition}}_4 \end{aligned} \quad (28)$$

$\text{iter} \rightarrow \text{iterations}$

Process of knowledge acquisition will take time for any individual and it may progress continuously and few times some lag will occurred rendering to conditions,

$$\vec{Z}_i^{\text{iter}+1} = \begin{cases} \vec{Z}_i^{\text{iter}+1} & \text{if } f(\vec{Z}_i^{\text{iter}+1}) < f(\vec{Z}_i^{\text{iter}}) \\ \vec{Z}_i^{\text{iter}+1} & \text{if } o_1 < Q_i \\ \vec{Z}_i^{\text{iter}} & \text{otherwise} \end{cases} \quad (29)$$

$o_1 \in [0,1]$

$Q_i = 0.001$

In the replication segment the individual will verify about the quantity and quality of learning. Knowledge acquisition will be self analyzed by the individuals.

$$Z_{i,j}^{iter+1} = \begin{cases} \min + o_4 * (\max - \min) & \text{if } o_3 < \text{attenuation factor} \\ Z_{i,j}^{iter} + o_5 * (U_j - Z_{i,j}^{iter}) & \text{else} \\ Z_{i,j}^{iter} & \text{Otherwise} \end{cases} \quad \text{if } o_2 < V_i \quad (30)$$

Where,

$$o_1, o_2, o_3, o_4 \in [0,1]$$

$$V_i = 0.50$$

$U_j \rightarrow$ Knowledge acquisition of the j th aspect

$$\text{attenuation factor} = 0.01 + 0.99 * \left(1 - \frac{\text{iter}}{\text{max.iter}}\right) \quad (31)$$

- a. Start
- b. Set the parameters
- c. Engender the population
- d. Apply Knowledge acquisition segment
- e. For $i = N$: do
- f. Compute $\overrightarrow{Fissure_k}$

$$\begin{cases} \overrightarrow{F_A} = \overrightarrow{Z_{Top}} - \overrightarrow{Z_{Middle}} \\ \overrightarrow{F_B} = \overrightarrow{Z_{Top}} - \overrightarrow{Z_{Lower}} \\ \overrightarrow{F_C} = \overrightarrow{Z_{Middle}} - \overrightarrow{Z_{Lower}} \\ \overrightarrow{F_D} = \overrightarrow{Z_{R1}} - \overrightarrow{Z_{R2}} \end{cases}$$
- g.
- h. Calculate Ka_k
- i. $Ka_k = \frac{\|\overrightarrow{Fissure_k}\|}{\sum_{k=1}^D \|\overrightarrow{Fissure_k}\|}$
- j. Compute L_i
- k. $L_i = \frac{\text{Knowledge acquisition disinclination}_i}{\text{Maximum Knowledge acquisition disinclination}_i}$
- l. Calculate Knowledge acquisition $_i$
- m. Knowledge acquisition $_i = L_i \cdot Ka_k \cdot \overrightarrow{Fissure_k}$
- n. Accomplish the Knowledge acquisition process for i th individual
- o. $\overrightarrow{Z_i^{iter+1}} = \overrightarrow{Z_i^{iter}} + \overrightarrow{Knowledge acquisition_1} + \overrightarrow{Knowledge acquisition_2} + \overrightarrow{Knowledge acquisition_3} + \overrightarrow{Knowledge acquisition_4}$
- p. Update the i th individual
- q. $\overrightarrow{Z_i^{iter+1}} = \begin{cases} \overrightarrow{Z_i^{iter+1}} & \text{if } f(\overrightarrow{Z_i^{iter+1}}) < f(\overrightarrow{Z_i^{iter}}) \\ \overrightarrow{Z_i^{iter+1}} & \text{if } o_1 < Q_i \\ \overrightarrow{Z_i^{iter}} & \text{otherwise} \end{cases}$
- r. Apply the replication segment
- s. For $i = N$: do
- t. Accomplish the replication process for i th individual
- u. $Z_{i,j}^{iter+1} = \begin{cases} \min + o_4 * (\max - \min) & \text{if } o_3 < \text{attenuation factor} \\ Z_{i,j}^{iter} + o_5 * (U_j - Z_{i,j}^{iter}) & \text{else} \\ Z_{i,j}^{iter} & \text{Otherwise} \end{cases}$
- v. $\text{attenuation factor} = 0.01 + 0.99 * \left(1 - \frac{\text{iter}}{\text{max.iter}}\right)$
- w. Update the i th individual
- x. $\overrightarrow{Z_i^{iter+1}} = \begin{cases} \overrightarrow{Z_i^{iter+1}} & \text{if } f(\overrightarrow{Z_i^{iter+1}}) < f(\overrightarrow{Z_i^{iter}}) \\ \overrightarrow{Z_i^{iter+1}} & \text{if } o_1 < Q_i \\ \overrightarrow{Z_i^{iter}} & \text{otherwise} \end{cases}$
- y. end for
- z. $t = t + 1$
- aa. Output the best solution
- bb. End

4. Enriched Indus River flow dynamics Optimization Algorithm

Teaching and sequential learning, Solution to Contradictory Opinions, Ikigai and Kaizen, Understanding cosmos and Indus river flow Watercourse flow dynamics algorithm are integrated to form the Enriched Indus River flow dynamics Optimization Algorithm (SINDHU) to enhance the search and attaining better solutions.

- Teaching and sequential learning algorithm
- Solution to Contradictory Opinions algorithm
- Ikigai and Kaizen algorithm
- Teaching on cosmos algorithm
- Indus river watercourse flow dynamics algorithm

Teaching and sequential learning algorithm

Teaching and sequential learning process is imitated how scholars are learnt from the educators. In the formulation the solution is randomly distributed in the search space. The position is represented as,

$$Z_i = \{Z_{i,1}, Z_{i,2}, \dots, Z_{i,d}\}$$

$d \rightarrow$ dimension

The matrix of the mutation [33-37] is defined as,

$$A = Z_{gbest} + \text{variation constant parameter} * (Z_{r1} - Z_{r2}) \quad (32)$$

Z_{r1} and $Z_{r2} \rightarrow$ different matrixes to update the pontiff location variation constant parameter = 0.70

Evolution is generated [28, 32] as follows,

$$Z = O \times Z + \bar{O} \times A \quad (33)$$

$O \rightarrow$ transformation matrix
 $\bar{O} \rightarrow$ binary inverse of O

- a. Start
- b. Initialization of the process
- c. Position in the search space defined
- d. Calculation of fitness value
- e. $Z_{gbest} \leftarrow Z_{gbest}$
- f. While $t < \text{maximum generation}$
- g. Engendering the mutilation factor
- h. $A = Z_{gbest} + \text{variation constant parameter} * (Z_{r1} - Z_{r2})$
- i. Create the evolution
- j. $Z = O \times Z + \bar{O} \times A$
- k. Calculation of fitness value
- l. $t = t + 1$
- m. End while
- n. Output the Z_{gbest}
- o. End

In the procedure Trial vector creators (TC), recognized TC (RTC), preminent antiquity trial vector creator (PATC), and arbitrary trial vector creator (ATC) are utilized to

enhance the solution by maintain the equilibrium between exploration and exploitation [38, 39].

Engendering the solutions randomly in the exploration space as follows,

$$z_{ij} = \min_j + (\max_j - \min_j) \times R \quad (34)$$

$R \in [0,1]$

$z_{ij} \rightarrow$ define the location

The complete generation is alienated into k segments comprising “n” generations. The principal phase of every segment is to pick the preeminent Trial vector creators (TC), with the uppermost degree of enhancement over the preceding “n” generations.

$$ID_{X-TC} = \neq \text{Enhanced solution} / \neq \text{function evaluations} \quad (35)$$

$ID \rightarrow$ improved degree

$X \rightarrow$ one of the TC

The magnitude of the Trial vector creators (TC) sub population is defined as,

$$N_{X-TC} = \begin{cases} 2 * \tau * N, & \text{for TC (improved degree)} \\ \tau * N, & \text{for other TC} \end{cases} \quad (36)$$

$\tau = 0.250$

$N \rightarrow$ number

Recognized TC (RTC) enhance the exploitation capability, preeminent antiquity trial vector creator (PATC) will evade the trapping into local optima, arbitrary trial vector creator (ATC) will balance the exploration and exploitation. When every Trial vector creators (TC) transforms its devoted sub-population the progressed vector of the mind is defined through O and \bar{O} as follows,

$$Y_i^{Rpop}(t+1) = O_i \times O_i^{Rpop} + \bar{O}_i \times M_i^{Rpop} \quad (37)$$

$Y_i^{Rpop} \rightarrow$ create candidate solution

$M_i^{Rpop} \rightarrow$ mutated vector

$Rpop \rightarrow$ Recognized TC (RTC) population

$O \rightarrow$ transformation matrix

$\bar{O} \rightarrow$ binary inverse of O

$$Y_i^{Ppop}(t+1) = O_i \times O_i^{Ppop} + \bar{O}_i \times M_i^{Ppop} \quad (38)$$

$Y_i^{Ppop} \rightarrow$ create candidate solution

$M_i^{Ppop} \rightarrow$ mutated vector

$Ppop \rightarrow$ preeminent antiquity trial vector creator (PATC) population

$O \rightarrow$ transformation matrix

$\bar{O} \rightarrow$ binary inverse of O

$$Y_i^{Apop}(t+1) = O_i \times O_i^{Apop} + \bar{O}_i \times M_i^{Apop} \quad (39)$$

$Y_i^{Apop} \rightarrow$ create candidate solution

$M_i^{Apop} \rightarrow$ mutated vector

$Apop \rightarrow$

arbitrary trial vector creator (ATC) population

$O \rightarrow$ transformation matrix

$\bar{O} \rightarrow$ binary inverse of O

Recognized TC (RTC) engender the mutated vector as follows,

$$M_i^{Rpop}(t+1) = gbest_t^{pop} + Vcp * (Z_{r1}^{Rpop}(t) - Z_{r2}^{Rpop}(t)) \quad (40)$$

$Vcp \rightarrow$ variation constant parameter

$Vcp = 0.70$

Procedure for Recognized TC (RTC)

- Start
- for $i = 1$ to N_{RTC}
- $M_i^{Rpop}(t+1) = gbest_t^{pop} + Vcp * (Z_{r1}^{Rpop}(t) - Z_{r2}^{Rpop}(t))$
- $Y_i^{Rpop}(t+1) = O_i \times O_i^{Rpop} + \bar{O}_i \times M_i^{Rpop}$
- End for
- Output the produced vectors in Y^{Rpop}
- End

Preeminent antiquity trial vector creator (PATC) engender the mutated vector as follows,

$$M_i^{Ppop}(t+1) = Z_t^{Ppop} + G * (Z_{r1}^{Ppop}(t) - Z_{r2}^{Ppop}(t)) \quad (41)$$

$G \rightarrow$ reduction factor

$Z_t^{Ppop} \rightarrow$ Preeminent antiquity trial vector creator population

$$G = \gamma - (\gamma - \delta) * \left(\frac{\max_{gen} - \min_{gen}}{\max_{gen}} \right) \rho \quad (42)$$

γ and $\delta \rightarrow$ primary and final values

$\rho \rightarrow$ value by dimension

Procedure for Preeminent antiquity trial vector creator (PATC)

- Start
- for $i = 1$ to N_{PATC}
- $M_i^{Ppop}(t+1) = Z_t^{Ppop} + G * (Z_{r1}^{Ppop}(t) - Z_{r2}^{Ppop}(t))$
- $Y_i^{Ppop}(t+1) = O_i \times O_i^{Ppop} + \bar{O}_i \times M_i^{Ppop}$ End for
- Output the produced vectors in Y^{Ppop}
- End

Arbitrary trial vector creator (ATC) engender the mutated vector as follows,

$$M_i^{Apop}(t+1) = Z_t^{Apop} + H * (Z_{r1}^{Apop}(t) - Z_{r2}^{Apop}(t)) + H * (Z_{r2}^{Apop}(t) - Z_j^{Cpop}(t))$$

$M_i^{Apop}(t+1) \rightarrow$

Arbitrary trial vector creator (ATC) population

$H \rightarrow$ Vcp engendered by cauchy distribution

$Vcp \rightarrow$ variation constant parameter

$Z_j^{Cpop}(t) \rightarrow$ complete population

$$H = R_c(\rho f \varphi) \quad (43)$$

$\rho f = 0.50$

$\varphi = 0.20$

$$\rho f = \frac{\sum_{f_i \in Q_f} U_{f_i} * f_i^2}{\sum_{f_i \in Q_f} U_{f_i} * f_i} \quad (44)$$

$U_{f_i} \rightarrow \text{weight}$
 $Q_f \rightarrow \text{scale factor}$

$$U_{f_i} = \frac{\Delta f_i}{\sum_{f_i \in Q_f} \Delta f_i} \quad (45)$$

Procedure for Arbitrary trial vector creator (ATC)

- Start
- for $i = 1$ to N_{ATC}
- $M_i^{Apop}(t+1) = Z_t^{Apop} + H * (Z_{r1}^{Apop}(t) - Z_{r2}^{Apop}(t)) + H * (Z_{r2}^{Apop}(t) - Z_j^{Cpop}(t))$
- $Y_i^{Apop}(t+1) = O_i \times O_i^{Apop} + \bar{O}_i \times M_i^{Apop}$
- Output the produced vectors in Y^{Apop}
- End

Istiompax Indica algorithm is integrated into the procedure to enhance the search. Istiompax indica is rapacious and hunt Amblygaster sirm in cluster mode. Regular performances of Istiompax indica have been used to design the algorithm. A contestant elucidation in the proposed procedure is Istiompax indica and populace in the investigation zone is indiscriminately prompted.

In the penetrating zone,

$$Z_{i,k} \in \mathcal{B}(i = 1, 2, \dots, m) \quad (46)$$

where $Z_{i,k}$ specify the Istiompax indica location

$$Z_p = \begin{bmatrix} Z_{1,1} & Z_{1,2} & \dots & Z_{1,d} \\ Z_{2,1} & Z_{2,2} & \dots & Z_{2,d} \\ \vdots & \vdots & \dots & \vdots \\ Z_{m,1} & Z_{m,2} & \dots & Z_{m,d} \end{bmatrix} \quad (47)$$

Solution appropriateness rate designed as,

$$Z_p = \begin{bmatrix} f(Z_{1,1}) & Z_{1,2} & \dots & Z_{1,d} \\ f(Z_{2,1}) & Z_{2,2} & \dots & Z_{2,d} \\ \vdots & \vdots & \dots & \vdots \\ f(Z_{m,1}) & Z_{m,2} & \dots & Z_{m,d} \end{bmatrix} = \begin{bmatrix} F_{Z1} \\ F_{Z2} \\ \vdots \\ F_{Zm} \end{bmatrix} \quad (48)$$

Amblygaster Sirm School is intermingled in the procedure and in the examination space it also swimming. Then the Amblygaster sirm location and appropriateness is obtained by,

$$D_p = \begin{bmatrix} D_{1,1} & D_{1,2} & \dots & D_{1,d} \\ D_{2,1} & D_{2,2} & \dots & D_{2,d} \\ \vdots & \vdots & \dots & \vdots \\ D_{m,1} & D_{m,2} & \dots & D_{m,d} \end{bmatrix} \quad (49)$$

$$D_p = \begin{bmatrix} f(Z_{1,1}) & Z_{1,2} & \dots & Z_{1,d} \\ f(Z_{2,1}) & Z_{2,2} & \dots & Z_{2,d} \\ \vdots & \vdots & \dots & \vdots \\ f(Z_{m,1}) & Z_{m,2} & \dots & Z_{m,d} \end{bmatrix} = \begin{bmatrix} F_{Z1} \\ F_{Z2} \\ \vdots \\ F_{Zm} \end{bmatrix} \quad (50)$$

The location of the greater Istiompax indica and the incapacitated Amblygaster sirm which own the superlative

appropriateness rate in the i th iteration is indicated as $Q_{s,z}^i$ and $Q_{in,D}^i$. Fresh location of Istiompax indica designated as,

$$Q_{fresh,z}^i = Q_{s,z}^i - \lambda_i \times \left(r(0,1) \times \left(\frac{Q_{s,z}^i + Q_{in,D}^i}{2} \right) - Q_{pre,z}^i \right) \quad (51)$$

$$\lambda_i = 2 \times r(0,1) \times p.d - p.d$$

$$p.d = 1 - \left(\frac{z}{z+d} \right)$$

Fresh position of Amblygaster sirm is,

$$Q_{fresh,D}^i = r \times (Q_{s,z}^i - Q_{pre,z}^i + Z.P) \quad (52)$$

$$Z.P = l \times (2 \times \text{iter} \times \varepsilon) \quad (53)$$

Through $Z.P$ number of Amblygaster sirm will revolutionize the location (α) and parameter (β),

$$\alpha = D \times Z.P$$

$$\beta = Pa \times Z.P$$

$$Q_z^i = Q_p^i \text{ if } f(D_i) < f(Z_i) \quad (54)$$

- Start
- Fix the parameter values
- Compute the fitness rate
- Pick superlative Istiompax indica and incapacitated Amblygaster sirm
- while (end condition is not met) do
- Istiompax indica location is rationalised
- End for
- Location of selected Amblygaster sirm is rationalized
- End if
- Calculate appropriateness rate of Amblygaster sirm
- Exclude the startled Amblygaster sirm
- Streamline the optimum Istiompax indica and Amblygaster sirm
- End if
- End while
- Reoccurrence of finest Istiompax indica
- End

Teaching and sequential learning

- Start
- generation = 1
- Arbitrarily engender the solution in the search space
- Calculation of fitness value
- Fix Z_{gbest}
- While $t < \text{maximum generation}$
- If $\text{mod}(\text{gen}, \text{ngen}) == 0$
- Determine the alienated k segments
- End if
- Apply Istiompax indica procedure
- Determine the magnitude Trial vector creators (TC) sub population
- $N_{X-TC} = \begin{cases} 2 * \tau * N, \text{ for TC posses improved degree} \\ \tau * N, \text{ for other TC} \end{cases}$
- Do for each Trial vector creators (TC)
- for $i = 1$ to N_{X-TC}
- for $i = 1$ to N_{RTC}

- m. $M_i^{Rpop}(t+1) = gbest_t^{pop} + Vcp * (Z_{r1}^{Rpop}(t) - Z_{r2}^{Rpop}(t))$
- n. $Y_i^{Rpop}(t+1) = O_i \times O_i^{Rpop} + \bar{O}_i \times M_i^{Rpop}$
- o. End for
- p. for $i = 1 to N_{PTC}$
- q. $M_i^{Ppop}(t+1) = Z_t^{Ppop} + G * (Z_{r1}^{Ppop}(t) - Z_{r2}^{Ppop}(t))$
- r. $Y_i^{Ppop}(t+1) = O_i \times O_i^{Ppop} + \bar{O}_i \times M_i^{Ppop}$ End for
- s. End for
- t. for $i = 1 to N_{ATC}$
- u. $M_i^{Apop}(t+1) = Z_t^{Apop} + H * (Z_{r1}^{Apop}(t) - Z_{r2}^{Apop}(t)) + H * (Z_{r2}^{Apop}(t) - Z_j^{Cpop}(t))$
- v. $Y_i^{Apop}(t+1) = O_i \times O_i^{Apop} + \bar{O}_i \times M_i^{Apop}$
- w. End for
- x. generation = Generation + 1
- y. Output the Z_{gbest}
- z. End
- t. Otherwise randomly pick double bunches to generate fresh entity
- u. Effervescent function is introduced in the procedure to convergence rate
- v. $\xi = R * \exp\left(1 - \frac{\max_iter}{\max_iter - \text{Present}_iter + 1}\right)$ (57)
- w. Produce an arbitrary rate
- x. If it is a smaller amount than a preordained probability, then the twofold bunch centres are assembled in composed mode and then included with arbitrary rate to generate fresh entity
- y. Otherwise, twofold entities from each picked bunch are randomly designate and pooled with arbitrary rate to generate fresh entity
- z. Freshly produced entity is associated with the dynamic entity with the similar entity directory
- aa. The grander one is reserved and logged as the fresh entity
- bb. If “n” fresh entities have been produced, then go to next step or else go to step k
- cc. Complete if preordained maximum number of iterations has been touched or else go to step c
- dd. End

Solution to Contradictory Opinions algorithm

Group discussion will occur to find the right solution when contradictory opinion occurs. In the general brain storm sessions will be conducted among the groups to find solution for contradictory opinions. The discussion and analysis of each group will be led by the Group head. After all discussion and analysis completed, a common solution will be obtained.

The following steps are followed in the discussion and analysis,

- a. Groups will be formed
- b. Each learner should deliver his/her observation
- c. A brain storm session will be conducted
- d. Contradictions of opinion analyzed
- e. Optimal solution found

Contradictory Opinions Inspired Optimization Algorithm

- a. Start
- b. Randomly create “n” probable solutions (entities)
- c. Clump “n” entities into “m” bunches
- d. Compute “n” entities
- e. Evaluate the entities in each bunch
- f. Record the finest entity as bunch hub in every collection
- g. Randomly produce rate among 0 and 1
- h. If the rate is minor than a preordained probability then,
- i. Randomly pick a bunch hub
- j. Randomly engender an entity to standby the designated bunch hub
- k. Generate fresh entities
- l. $O_{fresh}^d = O_{picked}^d + \xi * n(\mu, \sigma)$ (55)
- m. $O_{picked}^d \rightarrow$ magnitude of the entity
- n. $O_{fresh}^d \rightarrow$ magnitude of the entity
- o. $n(\mu, \sigma) \rightarrow$ Gaussian random function
- p. $\xi \rightarrow$ coefficient that weights
- q. $\xi = l. \text{sig}((0.5 * \text{maximum_iter} - \text{present_iteration})/k) * R(0,1)$ (56)
- r. Pick the bunch hub and comprise arbitrary rate to it to generate fresh entity
- s. Otherwise randomly pick an entity from this bunch and comprise arbitrary rate to the entity to form fresh entity

Ikigai and Kaizen inspired Optimization Algorithm

Ikigai and Kaizen inspired Optimization Algorithm is designed based on the humanity actions of happy living and continuous improvement [30, 31]. The term Ikigai means reason to live and kaizen meaning is continuous improvement. Even though the conception of Ikigai has long been existent in Japanese principles, it was mainly promoted by Japanese psychoanalyst and academician Mieko Kamiya in her book titled -On the Meaning of Life in 1966. In Ikigai causes or substances that fetch worth or importance to lifespan and a sensation that one's lifespan has worth or importance for the reason that of the presence of its cause or entity. Societal Ikigai mentions; that are acknowledged by humanity by means of helping actions and loop happenings. Non - Societal Ikigai is not openly connected to humanity, such as confidence and self-control. Anti-social Ikigai mentions the uncomplicated inspiration for existing from end to end murky sentiments, such as the wish to disgust somebody or craving for vengeance. Kaizen is the concept of continuous improvement. Enhancement may be single time or unceasing, big or minor, that will improve the productivity of the work.

Cluster of Groups had put forth a detailed discussion about Ikigai and Kaizen. Each adherent has unique perception or meaning about Ikigai and Kaizen. All the Groups conduct a Brain storm session and finally attain the real knowledge about Ikigai and Kaizen rendering to their conditions. Naturally society will have different opinions on Ikigai and Kaizen. It's vital to understand the real meaning of Ikigai and kaizen for the self and development of the nation. Osborn [32] given innovative guidelines for Notion engendering in Brainstorming procedure and solutions are attained by the following rules,

- i. Defer the decision
- ii. Entirety Drives in its way
- iii. Synthesize the outcome
- iv. Drive for capability
 - a. Each adherent will deliver the own perception on Ikigai and Kaizen
 - b. Many perception and meaning will outflow in the brain storm session

- c. Kaizen. Cluster will be formed among the Groups and each cluster will be headed by an individual who possesses better perceptions
- d. Groups will compare the perceptions of the Groups and finally deliver the best
- e. An optimal perception will be generated

Every corner of the perceptions delivered by all Groups will be analysed in the brainstorm session and each adherent difficulties, then deliver final meaning of Ikigai and Kaizen. Cluster will be formed among the Groups and each cluster [33, 34] will be headed by an individual who possesses better perceptions. The cluster will be formed after initial observations of all perceptions. Through this actions all Groups confusion and opposite perceptions will be erased and it will make them to live happily and enhance their lifestyle through high productivity in their working atmosphere. Engendering the fresh Groups as follows,

$$A_{fresh}^e = A_{pick}^e + \varphi * g(\rho, \tau) \quad (58)$$

$A_{pick}^e \rightarrow$ to pick fresh entity
 $g(\rho, \tau) \rightarrow$ Gaussian rate

Calculation the Gaussian rate [46] is done as follows,

$$\varphi = \text{logsig}((0.50 * \text{max.iter} - \text{cur.iter})/k) * Z \quad (59)$$

$Z \in [0,1]$

$\text{max, cur.iter} \rightarrow$ maximum and current iteration

Effervescent functional value [35] included to enhance the solution

$$\varphi = Z * \exp\left(1 - \frac{\text{max.iter}}{\text{max.iter} - \text{current.iter} + 1}\right) \quad (60)$$

Algorithm Ikigai and Kaizen

- a. Start
- b. Create the probable solutions
- c. The Groups in the Brain storm session
- d. Compute the individual rate
- e. Rank the and identify the best adherent
- f. Produce an arbitrary assessment between 0 and 1
- g. If the probability value is minor than a foreordained prospect then,
- h. Select the cluster core and take account of arbitrary standards to it in order to generate fresh entity
- i. Or else capriciously pick a specific from cluster and take account of arbitrary assessment to the specific to produce fresh entity.
- j. Or else capriciously pick double clusters to produce fresh entity
- k. Produce an arbitrary assessment
- l. If it is below a foreordained probability, at that juncture the dual clusters are joined together and sequentially included with arbitrary standards to produce fresh entity
- m. Or else, dual entities from each cluster are capriciously joined together and included with arbitrary standards to produce fresh entity
- n. Freshly produced entities are equalled with the sprightly entity and documented as the fresh entity
- o. $t = t + 1$
- p. output the best solution
- q. end

Teaching on cosmos inspired optimization algorithm

Time is inestimable with a cyclical universe, where the existing cosmos was heralded and will be trailed by an endless sum of cosmoses. The single, divine personified soul is the lifespan power or mindfulness inside an existing individual. Contemporary physical science has revealed that the tempo of formation and annihilation is not only obvious in the shot of the periods and in the natal and demise of all existing individuals, but then again is likewise the identical spirit of inert substance. Rendering to quantum field concept, dance of formation and annihilation is the foundation of the very presence of substance. Contemporary physical science has thus discovered that each subatomic unit not only does a dynamism dance, but also an energetic procedure of formation and annihilation. In exploration region circumscribed the population "Q" is capriciously initialized.

$$Q_{(i,j)}^0 = Q_j^{\min} + R \times (Q_j^{\max} - Q_j^{\min}) \quad (61)$$

$R \in [0,1]$

Q_j^{\max} and $Q_j^{\min} \rightarrow$ limits

The ith student rendering generation is defined as,

$$Q_{(i)}^g = [Q_{(i,1)}^g, Q_{(i,2)}^g, Q_{(i,3)}^g, \dots, Q_{(i,j)}^g, \dots, Q_{(i,D)}^g] \quad (62)$$

$g \rightarrow$ generation

In the teaching segment, the students will learn about Cosmos, Cosmic dance and Music sequentially,

$$U^g = [u_1^g, u_2^g, \dots, u_j^g, \dots, u_D^g] \quad (63)$$

The teacher Q_T^g with the least goal functional rate of the student is measured as for individual iteration. Attention of the students in the direction of Teacher is accomplished in teaching segment of teacher. An illogical prejudiced disparity vector is designed to attain a fresh set of enhanced students from the existing mean, preferred mean factors is included to the present population of students.

$$Q_{fresh(i)}^g = Q_{(i)}^g + R \times (Q_T^g - TH_p \cdot U^g) \quad (64)$$

$R \in [0,1]$

$TH_p \rightarrow$ teaching parameter $\in [1,2]$

$$TH_p = \text{Rotund}[1 + R(0.01)\{2 - 1\}] \quad (65)$$

$R \in [0,1]$

In the generation if $Q_{fresh(i)}^g$ is higher student in the learning process than $Q_{(i)}^g$, then exchange the mediocre student learner $Q_{(i)}^g$. In the student learning segment the reciprocated communication inclines to enlarge the knowledge of the student. The illogical communication amongst students progresses the knowledge. For student $Q_{(i)}^g$ additional student $Q_{(r)}^g$ is illogically nominated ($i \neq r$). In student learning segment the ith factor, Q_{fresh}^{new} is defined as,

$$Q_{(i)}^g = \begin{cases} Q_{(i)}^g + R \times (Q_{(i)}^g - Q_{(r)}^g) \\ \text{if } f(Q_{(i)}^g) < f(Q_{(r)}^g) \\ Q_{(i)}^g + R \times (Q_{(r)}^g - Q_{(i)}^g) \text{ else} \end{cases} \quad (66)$$

Initial levels of the exploration individuals are reinvigorated to trial miscellaneous sectors of the exploration region. Movements of probationary solutions magnificently tuned and it will discover the inner areas of regions in advanced stages. Rate of the weight parameter “A” condensed linearly with period from extreme to a least rate.

$$A = A_{max} - \left(\frac{A_{max} - A_{min}}{\text{max iter}} \right) * i \quad (67)$$

where,

A_{max} and $A_{min} \rightarrow$ limits of weight values
 A_{max} and $A_{min} \in [0, 1]$

With weight parameter the enhanced students in the teaching segment is defined as,

$$Q_{fresh(i)}^g = A * Q_{(i)}^g + R * (Q_{Guru}^g - TH_P \cdot U^g) \quad (68)$$

In students learning segment a set of enhanced learners are defined as,

$$Q_{fresh(i)}^g = \begin{cases} A * Q_{(i)}^g + R \times (Q_{(i)}^g - Q_{(r)}^g) \\ \text{if } f(Q_{(i)}^g) < f(Q_{(r)}^g) \\ A * Q_{(i)}^g + R \times (Q_{(r)}^g - Q_{(i)}^g) \text{ Else} \end{cases} \quad (69)$$

- Start
- Set the parameters
- Initialize the entities
- Define the Teacher
- For $i = 1$ to NP
- Compute the rate of updated student
- End for
- $Q_{fresh(i)}^g$ is higher student in the learning process than $Q_{(i)}^g$
- Exchange the mediocre student learner $Q_{(i)}^g$
- Define the student learning segment
- $Q_{(i)}^g = \begin{cases} Q_{(i)}^g + R \times (Q_{(i)}^g - Q_{(r)}^g) \\ \text{if } f(Q_{(i)}^g) < f(Q_{(r)}^g) \\ Q_{(i)}^g + R \times (Q_{(r)}^g - Q_{(i)}^g) \text{ else} \end{cases}$
- Include the weight parameter
- With weight parameter the enhanced students in the teaching segment are defined
- $Q_{fresh(i)}^g = A * Q_{(i)}^g + R * (Q_T^g - TH_P \cdot U^g)$
- In Students learning segment a set of enhanced learners are defined
- $t = t + 1$
- Output the best solution
- End

Indus river watercourse flow optimization algorithm

Indus river watercourse flow optimization algorithm is designed based on the flow of Watercourse in the river Indus [36, 37]. Watercourse flow optimization algorithm is initiated with the conjecture of sprinkle of rain. Indus River

drains into Arabian Sea. Fig 1. Shows the Indus and Pontiff SGS in the river

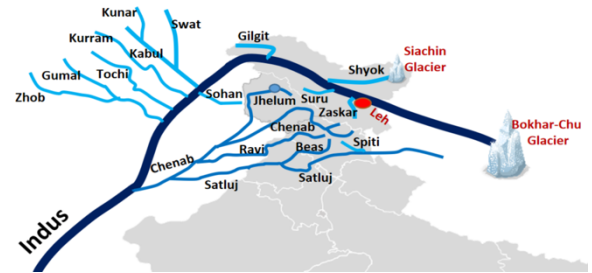


Fig. 1. Indus river flow and map

The Indus is a Trans boundary of Asia and a trans-Himalayan river of South and Central Asia. The 3,120 km (1,940 mi) river rises in mountain springs northeast of Mount Kailash in Western Tibet, flows northwest through the disputed region of Kashmir, bends sharply to the left after the Nanga Parbat massif, and flows south-by-southwest through Pakistan, before emptying into the Arabian Sea near the port city of Karachi. Rendering to Indus River, Arabian Sea is picked as the premium entity, and quantity of sprinkled rain droplets in the region are selected to designate as watercourse and as river stream it drains into Arabian Sea. Sprinkled rain droplets is described as,

$$SRD = [Z_1, Z_2, Z_3, \dots, Z_n] \quad (70)$$

$SRD \rightarrow$ Sprinkled rain droplets

Rate of Sprinkled rain droplets is premeditated through cost function,

$$o_i = f(Z_1^i, Z_2^i, \dots, Z_{N_v}^i) \quad (71)$$

where,

$i = 1, 2, \dots, N_p$

$o_i = \text{cost function}_i$

N_v and $N_p \rightarrow$ quantity of sprinkled rain droplets

$N_s \rightarrow$ river drain into Arabian Sea

$$N_s = \text{quantity of rivers} + 1 \quad (72)$$

$$N_{SRD} = N_p - N_s \quad (73)$$

Force of river torrent which drain into the Arabian Sea is defined as,

$$N_F = r \left\{ \left\lfloor \frac{o_n}{\sum_{i=1}^{N_s} o_i} \right\rfloor \times N_{SRD} \right\} \quad (74)$$

$r \rightarrow \text{round}$

$F = 1, 2, \dots, N_s$

$N_F \rightarrow \text{Forte of river torrent}$

$SRD \rightarrow \text{Sprinkled rain droplets}$

$o_i = \text{cost funtion}_i$

$N_v \text{ and } N_p \rightarrow \text{quantity of sprinkled rain droplets}$

$N_s \rightarrow \text{river drain into Arabian Sea}$

Update the location of the river torrent

$$G_i^e(t+1) = R_i \times G_i^e(t) + Q_i^e(t) \quad (75)$$

$$Z_i^e(t+1) = Z_i^e(t) + G_i^d(t+1) \quad (76)$$

$G \rightarrow \text{velocity of river torrent during flow}$

Indus River will drains into Arabian Sea and the fresh spot of the river torrent is defined as

$$Z_T^{i+} = Z_T^i + R \times o \times (Z_R^i - Z_T^i) \quad (77)$$

$$Z_R^{i+} = Z_R^i + R \times o \times (Z_B^i - Z_R^i) \quad (78)$$

$R \in [0,1]$

$R \rightarrow \text{river}$

$T \rightarrow \text{torrent}$

$B \rightarrow \text{Arabian Sea}$

Vaporization process (e) which occurs in the Indus river torrent is defined as,

$$e_{max}^{i+1} = e_{max}^i - \frac{e_{max}^i}{\text{max no. of iter}} \quad (79)$$

Fresh spots of the recently formed Indus river torrents is demarcated as,

$$Z_T^n = \min + R \times (\max - \min) \quad (80)$$

$$Z_T^n = Z_B + \sqrt{\mu} \times R \cdot n(1, N_v) \quad (81)$$

$\mu \rightarrow \text{coefficient of exploration region near to ocean}$

$R \in [0,1]$

$R \rightarrow \text{river}$

$T \rightarrow \text{torrent}$

$B \rightarrow \text{Arabian Sea}$

$N_v \text{ and } N_p \rightarrow \text{quantity of sprinkled rain droplets}$

Updating the river torrent is done by,

$$Z_T^{t+1} = Z_T^t + (1 + a_i) \times (Z_R^i - \bar{Z}_T^i) \quad (82)$$

$$Z_T^{t+1} = X_T^t + (1 + a_i) \times (Z_B^i - \bar{Z}_T^i) \quad (83)$$

$$Z_R^{t+1} = X_R^t + (1 + a_i) \times (X_B^i - \bar{Z}_R^i) \quad (84)$$

where,

$R \rightarrow \text{river}$

$T \rightarrow \text{torrent}$

$B \rightarrow \text{bay of bengal}$

- a. Start
- b. Set the initial values
- c. Determine the quantity of Indus river torrent flow into ocean
- d. $N_s = \text{quantity of river} + 1$
- e. $N_{SRD} = N_p - N_s$
- f. Engender the initial population
- g. Calculate the deliberation forte of Indus river torrent flow
- h. $N_F = r \left\{ \left\lfloor \frac{o_n}{\sum_{i=1}^{N_s} o_i} \right\rfloor \times N_{SRD} \right\}$
- i. while $FE < \text{max.FE do}$
- j. Update the location of the Indus river torrent
- k. $G_i^e(t+1) = R_i \times G_i^e(t) + Q_i^e(t)$
- l. $Z_i^e(t+1) = Z_i^e(t) + G_i^d(t+1)$
- m. Streamline the flow of Indus river torrent
- n. $Z_T^{t+1} = Z_T^t + (1 + a_i) \times (Z_R^i - \bar{Z}_T^i)$
- o. $Z_T^{t+1} = X_T^t + (1 + a_i) \times (Z_B^i - \bar{Z}_T^i)$
- p. $Z_R^{t+1} = X_R^t + (1 + a_i) \times (X_B^i - \bar{Z}_R^i)$
- q. Calculate the fitness value
- r. River will drain into Arabian Sea
- s. $Z_T^{i+} = Z_T^i + R \times o \times (Z_R^i - Z_T^i)$
- t. $Z_R^{i+} = Z_R^i + R \times o \times (Z_B^i - Z_R^i)$
- u. Verify the Vaporization process
- v. $e_{max}^{i+1} = e_{max}^i - \frac{e_{max}^i}{\text{max no. of iter}}$
- w. Identify the Fresh spots of the nelwy formed Indus river torrents
- x. $Z_T^n = \min + R \times (\max - \min)$
- y. $Z_T^n = Z_B + \sqrt{\mu} \times R \cdot n(1, N_v)$
- z. $t = t + 1$
- aa. Obtain the best value
- bb. End

Teaching and sequential learning, Solution to Contradictory Opinions, Ikigai and Kaizen, Understanding cosmos and Indus river flow Watercourse flow dynamics algorithm are integrated to form the Enriched Indus River flow dynamics Optimization Algorithm (SINDHU), to enhance the search and attaining better solutions.

Enriched Indus River flow dynamics Optimization Algorithm (SINDHU)

- a. Start
- b. Set the parameters
- c. Fix the points
- //
- Teaching and sequential learning//**
- d. $M_i^{Rpop}(t+1) = gbest_t^{Rpop} + Vcp * (Z_{r1}^{Rpop}(t) - Z_{r2}^{Rpop}(t))$
- e. $Y_i^{Rpop}(t+1) = O_i \times O_i^{Rpop} + \bar{O}_i \times M_i^{Rpop}$
- f. End for
- g. for $i = 1 \text{ to } N_{PTC}$
- h. $M_i^{Ppop}(t+1) = Z_t^{Ppop} + G * (Z_{r1}^{Ppop}(t) - Z_{r2}^{Ppop}(t))$
- i. $Y_i^{Ppop}(t+1) = O_i \times O_i^{Ppop} + \bar{O}_i \times M_i^{Ppop}$ End for
- j. End for
- k. for $i = 1 \text{ to } N_{ATC}$
- l. $M_i^{Apop}(t+1) = Z_t^{Apop} + H * (Z_{r1}^{Apop}(t) - Z_{r2}^{Apop}(t)) + H * (Z_{r2}^{Apop}(t) - Z_j^{Cpop}(t))$
- m. $Y_i^{Apop}(t+1) = O_i \times O_i^{Apop} + \bar{O}_i \times M_i^{Apop}$

```
//
Solution to Contradictory Opinions/
/
n. Randomly pick a bunch hub
o. Randomly engender an entity to standby the
   designated bunch hub
p. Generate fresh entities
q.  $O_{fresh}^d = O_{picked}^d + \xi * n(\mu, \sigma)$ 
   a.  $O_{picked}^d \rightarrow$  magnitude of the entity
   b.  $O_{fresh}^d \rightarrow$  magnitude of the entity
   c.  $n(\mu, \sigma) \rightarrow$  Gaussian random function
   d.  $\xi \rightarrow$  coefficient that weights
r.  $\xi = l.sig((0.5 * maximum\_iter -$ 
    $present\_iteration)/k) * R(0,1)$ 
   // Understanding Ikigai and Kaizen//
s. Pick the bunch hub and comprise arbitrary rate to it
   to generate fresh entity
t. Otherwise randomly pick an entity from this bunch
   and comprise arbitrary rate to the entity to form
   fresh entity
u. Otherwise randomly pick double bunches to
   generate fresh entity
v. Effervescent function is introduced in the procedure
   to convergence rate
w.  $\xi = R * \exp\left(1 - \frac{max\_iter}{max\_iter - Present\_iter + 1}\right)$ 
x. Select the cluster core and take account of arbitrary
   standards to it in order to generate fresh entity
y. Or else capriciously pick a specific from cluster
   and take account of arbitrary assessment to the
   specific to produce fresh entity.
z. Or else capriciously pick double clusters to
   produce fresh entity
//Teaching on cosmos //
s. Define the Teacher
t. For i = 1 to NP
u. Compute the rate of updated student
v. End for
w.  $Q_{fresh(i)}^g$  is higher student in the learning process
   than  $Q_{(i)}^g$ 
x. Exchange the mediocre student learner  $Q_{(i)}^g$ 
y. Define the student learning segment
   
$$Q_{(i)}^g = \begin{cases} Q_{(i)}^g + R \times (Q_{(i)}^g - Q_{(r)}^g) \\ \quad \text{if } f(Q_{(i)}^g) \\ \quad < f(Q_{(r)}^g) \\ Q_{(i)}^g + R \times (Q_{(r)}^g - Q_{(i)}^g) \text{ else} \end{cases}$$

aa. Include the weight parameter
bb. With weight parameter the enhanced students in
   the teaching segment are defined
cc.  $Q_{fresh(i)}^g = A * Q_{(i)}^g + R * (Q_T^g - TH_P * U^g)$ 
dd. In Students learning segment a set of enhanced
   learners are defined
   // Indus river watercourse flow optimization //
cc. Determine the quantity of Indus river torrent flow
   into ocean
dd.  $N_s = quantity\ of\ river + 1$ 
ee.  $N_{SRD} = N_p - N_s$ 
ff. Engender the initial population
gg. Calculate the deliberation forte of Indus river
   torrent flow
hh.  $N_F = r \left\{ \left| \frac{on}{\sum_{i=1}^{N_s} oi} \right| \times N_{SRD} \right\}$ 
ii. while FE < max. FE do
```

```
jj. Update the location of the Indus river torrent
kk.  $G_i^e(t+1) = R_i \times G_i^e(t) + Q_i^e(t)$ 
ll.  $Z_i^e(t+1) = Z_i^e(t) + G_i^d(t+1)$ 
mm. Streamline the flow of Indus river torrent
nn.  $Z_T^{t+1} = Z_T^t + (1 + a_i) \times (Z_R^i - \vec{Z}_T^i)$ 
oo.  $Z_T^{t+1} = X_T^t + (1 + a_i) \times (Z_B^i - \vec{Z}_T^i)$ 
pp.  $Z_R^{t+1} = X_R^t + (1 + a_i) \times (X_B^i - \vec{Z}_R^i)$ 
qq. Calculate the fitness value
rr. River will drain into Arabian Sea
ss.  $Z_T^{i+} = Z_T^i + R \times o \times (Z_R^i - Z_T^i)$ 
tt.  $Z_R^{i+} = Z_R^i + R \times o \times (Z_B^i - Z_R^i)$ 
uu. Verify the Vaporization process
vv.  $e_{max}^{i+1} = e_{max}^i - \frac{e_{max}^i}{max\ no.\ of\ iter}$ 
ww. Identify the Fresh spots of the
xx. newly formed Indus river torrents
yy.  $Z_T^n = min + R \times (max - min)$ 
zz.  $Z_T^n = Z_B + \sqrt{\mu} \times R \cdot n(1, N_v)$ 
aaa.  $t = t + 1$ 
bbb. Output the solution
ccc. End
```

In order to analyse the competency of the proposed algorithms (Periodic Knowledge acquisition and Replication inspired optimization (PRO) algorithm, SINDHU algorithm are compared with two populations algorithms; Trade union chief selection optimization (TUCSO) algorithm and Population based optimization (PBO) algorithm in section 5 and 6 sequentially.

5. Trade Union Chief Selection Optimization Algorithm

Then in this paper Trade union chief selection optimization (TUCSO) algorithm is applied to solve the problem. TUCSO is designed by imitating the elective procedure of the trade union to select the leader. Vital motivation of TUCSO was the elective procedure, the picking the chief, and the influence of the workers alertness level on the electing their own chief for the trade union. TUCSO population is channelled by the examination region under the leadership of the chosen chief. TUCSO procedure is scientifically designed and it is grounded on exploration and exploitation. In Trade union chief selection optimization (TUCSO) algorithm, each worker indicates the solution for the problem and in matrix the population defined as,

$$T = \begin{bmatrix} T_1 \\ \vdots \\ T_i \\ \vdots \\ T_N \end{bmatrix}_{N \times D} = \begin{bmatrix} t_{1,1} & \cdots & t_{1,d} \\ \vdots & \ddots & \vdots \\ t_{N,1} & \cdots & t_{N,d} \end{bmatrix}_{N \times d} \quad (85)$$

$T \rightarrow$

Trade union chief selection optimization algorithm population

$$t_{i,j} = min_j + R_{i,j} \cdot (max_j - min_j) \quad (86)$$

where,

$$R_{i,j} \in [0,1]$$

max_j and min_j are the limits

$$i = 1, 2, 3, 4, \dots, N$$

$$j = 1, 2, 3, 4, \dots, d$$

$$Y = \begin{bmatrix} Y_1 \\ \vdots \\ Y_i \\ \vdots \\ Y_N \end{bmatrix}_{N \times 1} = \begin{bmatrix} Y(O_1) \\ \vdots \\ Y(O_i) \\ \vdots \\ Y(O_N) \end{bmatrix}_{N \times 1} \quad (87)$$

where,

$Y \rightarrow$ objective functional value

In the first segment electing procedure and conducting the secret balloting process is accounted for the exploration. TUCSO associates, grounded on their alertness and partake in the balloting process. Workers alertness is measured as reliant on the excellence and blimey of the charge of the objective functional value. Consequently, the alertness of entities is imitated and mathematically formulated. In this alertness reproduction procedure, entities with improved standards of the objective functional value are additional alert.

$$X_i = \begin{cases} \frac{Y_i - Y_{poor}}{Y_{good} - Y_{poor}}, & Y_{good} \neq Y_{poor} \\ 1, & \text{otherwise} \end{cases} \quad (88)$$

where,

Y_{good} and $Y_{poor} \rightarrow$

good and poor objective functional values

From all workers around nine to ten percentages are considered as contenders in the secret balloting process and they possess extreme alertness. Then the minimum quantity of the contenders will be two,

$$B_c \geq 2$$

$B_c \rightarrow$ contenders in the balloting process

Execution of the secret balloting process in TUCSO algorithm is grounded on the level of alertness of every worker and is equated to an arbitrary number, if the level of alertness of a worker is upper than that arbitrary number, then the worker is capable to ballot for the finest contender. Or else, that worker arbitrarily ballots for one of the other contenders. This secret balloting process is scientifically defined as,

$$SBP_i = \begin{cases} Z_1, & X_i < r \\ Z_k, & \text{otherwise} \end{cases} \quad (89)$$

where,

$SBP_i \rightarrow$ secret balloting process

$Z_1 \rightarrow$ best contender

$Z_k \rightarrow$ kth contender

$k \in \{2, 3, \dots, B_c\}$

$B_c \geq 2$

$r \in [0, 1]$

$i = 1, 2, 3, 4, \dots, N$

$j = 1, 2, 3, 4, \dots, d$

At the conclusion of the secret balloting process, grounded on the sum total of polled ballots, the contender who obtained the uppermost quantity of ballots in his/ her name is designated as chosen chief. The location of entities in the TUCSO algorithm is rationalized beneath the impact and direction of the designated chief. This chief leads the procedure population to dissimilar zones in the examination region and upsurges the TUCSO exploration capability in

the global examination. The procedure of apprising the TUCSO populace is led by the chief in such a system that primarily a fresh location is produced for each worker. The recently engendered location is adequate for apprising if it progresses the rate of the objective functional value. Or else, the parallel workers will remain in the preceding location. This modernization procedure in the TUCSO is designed as,

$$g_{i,j}^{new,p1} = \begin{cases} g_{i,j} + r_{i,j} \cdot (H_j - M \cdot g_{i,j}), & Y_H < Y_i \\ g_{i,j} + r_{i,j} \cdot (g_{i,j} - H_j), & \text{Else} \end{cases} \quad (90)$$

$$G_i = \begin{cases} G_i^{new,p1}, & Y_i^{p1} < Y_i \\ Y_i, & \text{Else} \end{cases} \quad (91)$$

where,

$r_{i,j} \in [0, 1]$

$i = 1, 2, 3, 4, \dots, N$

$j = 1, 2, 3, 4, \dots, d$

$g_{i,j}^{new,p1} \rightarrow$ freshly created position

$H \rightarrow$ elected chief

$M \in \{1, 2\}$

In the exploitation segment alertness of the workers has a prodigious influence on their accurate choices in the balloting procedure. Furthermore to the chief's inspiration on workers alertness, each workers opinions and actions can upsurge that individual's alertness. An enhanced solution may be recognized, which grounded on a local examination neighbouring to any projected solution. Consequently, the actions of workers to upsurge their alertness, tip to a rise in the TUCSO exploitation capability in the local examination and discover improved solutions. To pretend this local examination procedure, an arbitrary location is measured in the area of each worker in the search region. Objective functional value is assessed grounded on this fresh condition to define if this fresh condition is improved than the present condition of that worker. If the fresh location has an improved rate for the objective functional value, the local examination is efficacious and the location of the parallel worker is rationalised. Refining the rate of the objective functional value will upsurge that individual's alertness for superior decision making in the subsequent balloting (following iteration). This modernization procedure is to upsurge workers alertness in TUCSO procedure.

$$g_{i,j}^{new,p2} = g_{i,j} + (1 - 2r) * O * \left(1 - \frac{t}{T}\right) * g_{i,j} \quad (92)$$

$$G_i = \begin{cases} G_i^{new,p2}, & Y_i^{p2} < Y_i \\ Y_i, & \text{Else} \end{cases} \quad (93)$$

where,

$r_{i,j} \in [0, 1]$

$i = 1, 2, 3, 4, \dots, N$

$j = 1, 2, 3, 4, \dots, d$

$g_{i,j}^{new,p2} \rightarrow$ newly created position

$O = 0.02$

$t, T \rightarrow$ present and maximum iterations

- Start
- Set the parameters
- Create the population
- Compute the objective functional value
- For $i = 1$ to T
- Update the good and poor population associates

- g. Execute secret balloting process (exploration segment)
- h. Compute X_i
- i. $X_i = \begin{cases} Y_i - Y_{poor} \\ Y_{good} - Y_{poor} \end{cases}, Y_{good} \neq Y_{poor}$
1, otherwise
- j. Define the contenders (based on alertness)
- k. $SBP_i = \begin{cases} Z_1, X_i < r \\ Z_k, otherwise \end{cases}$
- l. Ballot papers are counted and winner will be declared
- m. For $i = 1$ to N
- n. Compute the new position
- o. $g_{i,j}^{new,p1} = \begin{cases} g_{i,j} + r_{i,j} \cdot (H_j - M \cdot g_{i,j}), Y_H < Y_i \\ g_{i,j} + r_{i,j} \cdot (g_{i,j} - H_j), Else \end{cases}$
- p. Update G_i
- q. $G_i = \begin{cases} G_i^{new,p1}, Y_i^{p1} < Y_i \\ Y_i, Else \end{cases}$
- r. Alertness of the workers prior to balloting (Exploitation segment)
- s. Calculate the fresh location
- t. $g_{i,j}^{new,p2} = g_{i,j} + (1 - 2r) * O * \left(1 - \frac{t}{T}\right) * g_{i,j}$
- u. Update G_i
- v. $G_i = \begin{cases} G_i^{new,p2}, Y_i^{p2} < Y_i \\ Y_i, Else \end{cases}$
- w. End for
- x. $t = t + 1$
- y. Output the best solution
- z. End

6. Population based Optimization Algorithm

In Population based optimization (PBO) algorithm every optimal problem has an appetizing region which defined as Exploration region and it envisaged as a synchronize structure with a numeral of hatchets equivalent to the problem resolution parameters. Populace associates passage in the Exploration region, targeting to touch the suitable optima. The standards of the problem resolution factors are defined by the location of the PBO associates in the Exploration region. Every associate of the populace delivers info to other associates of the populace about the condition in which they discover themselves. In PBO, iteration grounded procedure, associates of the populace passage to the optimal areas. The chief notion in planning of the proposed PBO is to appraise the location of the populace associates of the procedure grounded on the middling info, and deduction of the vilest and preeminent associates of the populace.

The populace associates are demarcated as,

$$P = \begin{bmatrix} P_1 \\ \vdots \\ P_i \\ \vdots \\ P_N \end{bmatrix}_{N \times M} = \begin{bmatrix} p_{1,1} & \cdots & p_{1,M} \\ \vdots & \ddots & \vdots \\ p_{N,1} & \cdots & p_{N,M} \end{bmatrix} \quad (94)$$

where,

P define the candidate solutions

P_i specify the i th candidate solutions

N, m are the decision variables and amount of PBO associates

Then the vector rate is defined as,

$$VF = \begin{bmatrix} VF_1 \\ \vdots \\ VF_i \\ \vdots \\ VF_N \end{bmatrix}_{N \times 1} = \begin{bmatrix} VF(P_1) \\ \vdots \\ VF(P_i) \\ \vdots \\ VF(P_N) \end{bmatrix}_{N \times 1} \quad (95)$$

$VF \rightarrow$ vector function of the objective function

$VF_i \rightarrow$ i th objective functional value

In the principal segment of Population based optimization (PBO) algorithm, an associate poised of the middling of the preeminent and vilest associates of the populace is tasked with modernizing the PBO populace. This part is scientifically defined as,

$$Q^{s1} = P_{preeminent} + P_{vilest}/2 \quad (96)$$

Q^{s1} is middling of the preeminent and vilest associates of the populace

$P_{preeminent}, P_{vilest}$ is preeminent and vilest associates of the populace

$$P_{i,d}^{new,s1} = \begin{cases} p_{i,d} + random \cdot (Q_d^{s1} - U \cdot p_{i,d}), VF_i^{s1} < VF_i \\ p_{i,d} + random \cdot (p_{i,d} - Q_d^{s1}), Else \end{cases} \quad (97)$$

$$P_i = \begin{cases} P_{i,d}^{new,s1}, VF_i^{new,s1} < VF_i \\ P_i, Else \end{cases} \quad (98)$$

$P_{i,d}^{new,s1}$ define the new position of the i th populace associate

$VF_i^{new,s1}$ is the new objective functional value

$U \in [1,2]$

In the subsequent segment, the location of the populace associates is rationalized, which grounded on the deduction info of the preeminent and vilest populace associates and it defined as,

$$Q^{s2} = P_{preeminent} - P_{vilest} \quad (99)$$

$$P_{i,d}^{new,s2} = p_{i,d} + random \cdot Q_d^{s2} \quad (100)$$

Q^{s2} is the deduction info of the preeminent and vilest populace associates

$P_{i,d}^{new,s2}$ define the new position of the i th populace associate

$$P_i = \begin{cases} P_{i,d}^{new,s2}, VF_i^{new,s2} < VF_i \\ P_i, Else \end{cases} \quad (101)$$

$VF_i^{new,s2}$ is the new objective functional value

In the next segment the preeminent associate is engaged to lead the PBO population to attain the enhanced solutions.

$$P_{i,d}^{new,s3} = p_{i,d} + random \cdot (p_{i,d} - U \cdot p_{preeminent,d}) \quad (102)$$

$P_{i,d}^{new,s3}$ define the new position of the i th populace associate

$$P_i = \begin{cases} P_{i,d}^{new,s3}, VF_i^{new,s3} < VF_i \\ P_i, Else \end{cases} \quad (103)$$

VF_i^{new,s_3} is the new objective functional value

By applying the three segments in the projected Population based optimization (PBO) algorithm, every populace associate is positioned in a new-fangled location in the Exploration region. The fresh position of PBO associates means new-fangled candidate standards for resolution variables, tip to the assessment of fresh rates of objective function.

- a. Start
- b. Fix the parameters
- c. Create the preliminary population randomly
- d. Compute the objective function
- e. For $t = 1$ to T
- f. Modernize the preeminent and vilest populace associates
- g. For $i = 1$ to N
- h. Apply principal segment of Population based optimization algorithm
- i. Compute Q^{s_1}
- j. $Q^{s_1} = P_{preeminent} + P_{vilest}/2$
- k. Modernize P_i
- l. $P_{i,d}^{new,s_1} = \begin{cases} p_{i,d} + random \cdot (Q_d^{s_1} - U \cdot p_{i,d}), VF_i^{s_1} < VF_i \\ p_{i,d} + random \cdot (p_{i,d} - Q_d^{s_1}), Else \end{cases}$
- m. $P_i = \begin{cases} P_{i,d}^{new,s_1}, VF_i^{new,s_1} < VF_i \\ P_i, Else \end{cases}$
- n. Execute the segment two of Population based optimization algorithm
- o. Compute Q^{s_2}
- p. $Q^{s_2} = P_{preeminent} - P_{vilest}$
- q. Modernize P_i
- r. $P_{i,d}^{new,s_2} = p_{i,d} + random \cdot Q_d^{s_2}$
- s. $P_i = \begin{cases} P_{i,d}^{new,s_2}, VF_i^{new,s_2} < VF_i \\ P_i, Else \end{cases}$
- t. Employ the third segment of the Population based optimization algorithm
- u. Modernize P_i
- v. $P_{i,d}^{new,s_3} = p_{i,d} + random \cdot (p_{i,d} - U \cdot p_{preeminent,d})$
- w. $P_i = \begin{cases} P_{i,d}^{new,s_3}, VF_i^{new,s_3} < VF_i \\ P_i, Else \end{cases}$
- x. End for
- y. $t = t + 1$
- z. Output the best solution
- aa. End

Computation complexity

$$O(P) = O(Obj) + O(ini) + O(f) + O(s)$$

$$O(1)$$

$$O(n * d)$$

$$O(K * f * n)$$

$$O(K * m * n * d)$$

$$O(P) = O(1 + n * d + K * f * n + K * m * n * d)$$

7. Simulation study

Proposed Trade union chief selection optimization (TUCSO) algorithm, Population based optimization (PBO) algorithm, Periodic Knowledge acquisition and Replication inspired optimization (PRO) algorithm, Enriched Indus River flow

dynamics Optimization Algorithm (SINDHU) competences are corroborated in G01–G24 benchmark functions [21, 22]. Table 1 shows the comparative results.

$$F(x) = 5 \sum_{i=1}^4 x_i - 5 \sum_{i=1}^4 x_i^2 - \sum_{i=5}^{13} x_i$$

$$F(x) = - \left| \frac{\sum_{i=1}^n \cos^4(x_i) - 2 \prod_{i=1}^n \cos^2(x_i)}{\sqrt{\sum_{i=1}^n i x_i^2}} \right|$$

$$F(x) = -(\sqrt{n})^n \prod_{i=1}^n x_i$$

$$F(x) = 5.35x_3^2 + 0.83x_1x_5 + 37.2x_1 - 40.792.1$$

$$F(x) = 3x_1 + 0.00000 x_1^3 + 2x_2 + \left(\frac{0.000002}{3}\right) x_2^3$$

$$F(x) = (x_1 - 10)^3 + (x_2 - 20)^3$$

$$F(x) = x_1^2 + x_2^2 + x_1x_2 - 14x_1 - 16x_2 + (x_3 - 10)^2 + 4(x_4 - 5)^2 + (x_5 - 3)^2 + 2(x_6 - 1)^2 + 5x_7^2 + 7(x_8 - 11)^2 + (x_9 - 10)^2 + (x_{10} - 7)^2 + 45$$

$$F(x) = -\sin^3(2\pi x_1)\sin(2\pi x_2)/x_1^3(x_1 + x_2)$$

$$F(x) = (x_1 - 10)^2 + 5(x_2 - 12)^2 + x_4^3 + 3(x_4 - 11)^2 + 10x_5^6 + 7x_6^4 + x_7^4 - 4x_6x_7 - 10x_6 - 8x_7$$

$$F(x) = x_1 + x_2 + x_3$$

$$F(x) = x_1^2 + (x_2 - 1)^2$$

$$F(x) = -100(-(x_1 - 5)^2 - (x_2 - 5)^2 - (x_3 - 5)^2)/100$$

$$F(x) = e^{x_1x_2x_3x_4x_5}$$

$$F(x) = \sum_{i=1}^{10} x_i \left(c_i + \ln \frac{x_i}{\sum_{j=1}^{10} x_j} \right)$$

$$F(x) = 1000 - x_1^2 - 2x_2^2 - x_3^2 - x_1x_2 - x_1x_3$$

$$F(x) = 0.0001y_{14} + 0.1365 + 0.000023y_{13} + 0.0000015y_{16} + 0.03y_{12} + 0.0043y_5 + 0.0001 \frac{c_{15}}{c_{16}} + 37.48 \frac{y_2}{c_{12}} - 0.00000058y_{17}$$

$$F(x) = f_1(x_1) + f_2(x_2)$$

$$F(x) = -0.5(x_1x_4 - x_2x_3 + x_3x_9 - x_5x_9 + x_5x_8 - x_6x_7)$$

$$F(x) = \sum_{j=1}^5 \sum_{i=1}^5 c_{ij} x_{(10+i)} x_{(10+j)} + 2 \sum_{j=1}^5 d_j x_{(10+j)}^3 - \sum_{i=1}^{10} b_i x_i$$

$$F(x) = \sum_{i=1}^{24} a_i x_i$$

$$F(x) = x_1$$

$$F(x) = -9x_5 - 15x_8 + 6x_1 + 16x_2 + 10(x_6 + x_7)$$

$$F(x) = -x_1 - x_2$$

Table 1. Outcome of G01–G24 benchmark functions

B. Fun		SPSO[22]	BJAYA[22]	TUCSO	PBO	PRO	SINDHU
Fn.G01 (-15.00)	Best	-15	-15	-15	-15	-15	-15
	Mean	-14.71	-15	-15	-15	-15	-15
Fn.G02 (-0.803619)	Best	-0.669158	-0.803605	-0.803619	-0.803619	-0.803619	-0.803619
	Mean	-0.41996	-0.7968	-0.7978	-0.7978	-0.7978	-0.7978
Fn.G03 (-1.0005)	Best	-1	-1.0005	-1.0005	-1.0005	-1.0005	-1.0005
	mean	0.764813	-1	-1	-1	-1	-1
Fn.G04 (-30,665.539)	Best	-30,665.539	-30,665.539	-30,665.539	-30,665.539	-30,665.539	-30,665.539
	mean	-30,665.539	-30,665.539	-30,665.539	-30,665.539	-30,665.539	-30,665.539
Fn.G05 -5126.486	Best	5126.484	5126.486	5126.486	5126.486	5126.486	5126.486
	Mean	5135.973	5126.5060	5126.5061	5126.5061	5126.5061	5126.5061
Fn.G06 (-6961.814)	Best	-6961.814	-6961.814	-6961.814	-6961.814	-6961.814	-6961.814
	Mean	-6961.814	-6961.814	-6961.814	-6961.814	-6961.814	-6961.814
Fn.G07 -24.3062	Best	24.37	24.3062	24.3062	24.3062	24.3062	24.3062
	Mean	32.407	24.3092	24.3095	24.3095	24.3095	24.3095
Fn.G08 (-0.095825)	Best	-0.095825	-0.095825	-0.095825	-0.095825	-0.095825	-0.095825
	Mean	-0.095825	-0.095825	-0.095825	-0.095825	-0.095825	-0.095825
Fn.G09 -680.6301	Best	680.630	680.6301	680.6301	680.6301	680.6301	680.6301
	Mean	680.630	680.6301	680.6301	680.6301	680.6301	680.6301
Fn.G010 -7049.28	Best	7049.481	7049.312	7049.310	7049.310	7049.310	7049.310
	Mean	7205.5	7052.7841	7052.7840	7052.7840	7052.7840	7052.7840
Fn.G011 -0.7499	Best	0.749	0.7499	0.7499	0.7499	0.7499	0.7499
	Mean	0.749	0.7499	0.7499	0.7499	0.7499	0.7499
Fn.G012 (-1)	Best	-1	-1	-1	-1	-1	-1
	Mean	-0.998875	-1	-1	-1	-1	-1
Fn.G013 (-0.05394)	Best	0.085655	0.003625	0.003621	0.003621	0.003621	0.003621
	Mean	0.569358	0.003627	0.003620	0.003620	0.003620	0.003620
Fn.G014 (-47.764)	Best	-44.9343	-47.7322	-47.7324	-47.7324	-47.7324	-47.7324
	Mean	-40.871	-46.6912	-46.6910	-46.6910	-46.6910	-46.6910
Fn.G015 -961.715	Best	961.715	961.715	961.715	961.715	961.715	961.715
	Mean	965.5154	961.715	961.715	961.715	961.715	961.715
Fn.G016 (-1.9052)	Best	-1.9052	-1.9052	-1.9052	-1.9052	-1.9052	-1.9052
	Mean	-1.9052	-1.9052	-1.9052	-1.9052	-1.9052	-1.9052
Fn.G017 -8853.5396	Best	8857.514	8853.5396	8853.5396	8853.5396	8853.5396	8853.5396
	Mean	8899.4721	8872.5402	8853.5396	8853.5396	8853.5396	8853.5396
Fn.G018 (-0.86603)	Best	-0.86603	-0.86603	-0.86603	-0.86603	-0.86603	-0.86603
	Mean	-0.8276	-0.86602	-0.86603	-0.86603	-0.86603	-0.86603
Fn.G019 -32.6555	Best	33.5358	32.6803	36.6170	36.6170	36.6170	36.6170
	Mean	36.6172	32.7512	36.6171	36.6171	36.6171	36.6171
Fn.G020 -0.204979	Best	0.24743	0.24139	0.24132	0.24132	0.24132	0.24132
	Mean	0.97234	0.24385	0.24381	0.24381	0.24381	0.24381
Fn.G021 -193.274	Best	193.7311	193.5841	193.2411	193.2411	193.2411	193.2411
	Mean	345.6595	193.7219	193.2443	193.2443	193.2443	193.2443
Fn.G022 -236.430	Best	-258.74	-242.45	-242.39	-242.39	-242.39	-242.39
	Mean	-255.55	-239.05	-239.04	-239.04	-239.04	-239.04
Fn.G023 (-400.055)	Best	-105.9826	-391.5192	-391.5105	-391.5105	-391.5105	-391.5105
	Mean	-25.9179	-381.2312	-381.2304	-381.2304	-381.2304	-381.2304
Fn.G024 (-5.5080)	Best	-5.5080	-5.5080	-5.5080	-5.5080	-5.5080	-5.5080
	Mean	-5.5080	-5.5080	-5.5080	-5.5080	-5.5080	-5.5080

Proposed Trade union chief selection optimization (TUCSO) algorithm, Population based optimization (PBO) algorithm, Periodic Knowledge acquisition and Replication inspired optimization (PRO) algorithm, Enriched Indus River flow dynamics Optimization Algorithm (SINDHU) validated in Six, IEEE bus test systems. Initially proposed algorithms are corroborated in Garver's six bus test system [38]. Table 2, 3 show loss evaluation and power oddness evaluation. Figs 2 and 3 give the assessment.

Table 2. Loss evaluation (Garver's six bus test system)

Technique	Loss in MW
BICHA [15]	14.8800
BIGA [16]	14.1500
SRSBD [17]	13.6400
BICBBA [18]	12.7940
IRBBA [19]	12.7680
TUCSO	11.0096
PBO	11.0095
PRO	11.0059
SINDHU	11.0002

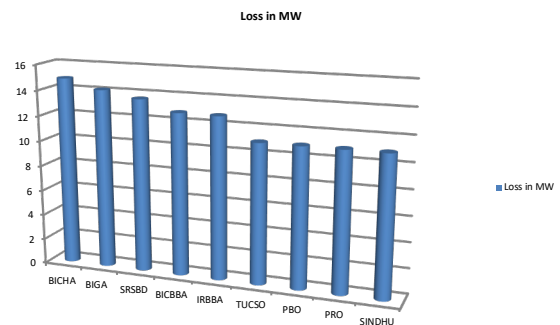


Fig. 2. Valuation of loss (Garver's six bus test system)

Table 3. Power eccentricity examination (Garver's six bus test system)

Technique	Power eccentricity (PU)
BICHA [15]	NA
BIGA [16]	NA

SRSBD [17]	NA
BICBBA [18]	0.51910
IRBBA [19]	0.22080
PEIO	0.21515
TUCSO	0.21518
PBO	0.21516
PRO	0.21488
SINDHU	0.21464

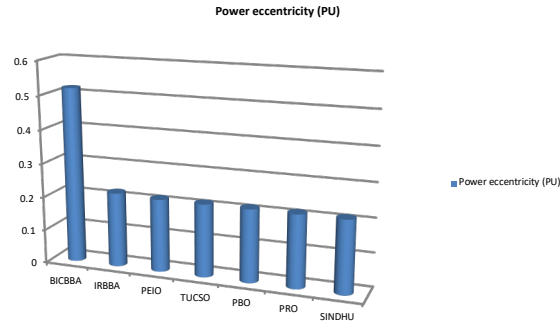


Fig. 3. Appraisal of Voltage aberration (Garver's six bus test system)

Trade union chief selection optimization (TUCSO) algorithm, Population based optimization (PBO) algorithm, Periodic Knowledge acquisition and Replication inspired optimization (PRO) algorithm Enriched Indus River flow dynamics Optimization Algorithm (SINDHU) are substantiated in IEEE 30 bus system [39]. Table 4 show the loss assessment, power eccentricity estimation and durableness valuation. Figures 4 to 6 give the valuation (L- Loss, PD- Power deviation, S- stability)

Table 4. Assessment of loss (IEEE 30 bus system)

Technique	L (MW)	PD(PU)	S(PU)
BAAPSOTS [1]	4.52130	0.10380	0.12580
MSIITS [1]	4.68620	0.20640	0.14990
MSIIPSO [1]	4.68620	0.13540	0.12710
AANTLOA [1]	4.59000	0.12870	0.12610
HDQOTLBO [2]	4.55940	0.12020	0.12640
BCATLBO [2]	4.56290	0.16140	0.14880
MSIIGA [3]	4.94080	0.15390	0.13940
MSISPSO [3]	4.92390	0.08920	0.12410
HBBAS [3]	4.90590	0.08560	0.11910
ROIIFS [4]	4.57770	0.09130	0.11800
HDIFS [5]	4.51420	0.12200	0.11610
MSIIFS [6]	4.52750	0.08900	0.11610
MHLISAI [9]	4.81930	0.08770	0.12420
MHLISAI [10]	4.85470	0.37400	0.12520
ROSA [10]	4.53170	0.37700	0.12520
ROSSA [10]	4.52690	0.08540	0.12450
TUCSO	4.49012	0.08318	0.15469
PBO	4.49010	0.08316	0.15471
PRO	4.49001	0.08302	0.15490
SINDHU	4.43000	0.08298	0.15503

Trade union chief selection optimization (TUCSO) algorithm, Population based optimization (PBO) algorithm, Periodic Knowledge acquisition and Replication inspired optimization (PRO) algorithm, Enriched Indus River flow dynamics Optimization Algorithm (SINDHU) substantiated in IEEE 57 bus system [40]. Table 5 show the loss assessment, power eccentricity assessment and reliability valuation. Figs 7 to 9 give the valuation (L- Loss, PD- Power deviation, S- stability)

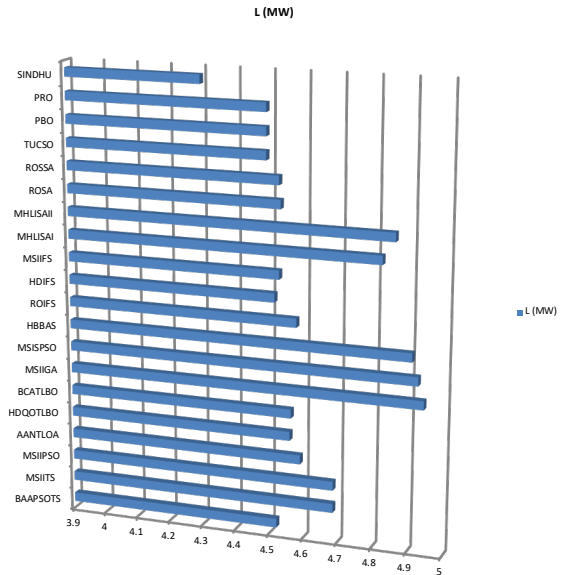


Fig. 4. Valuation of loss (IEEE 30 bus system)

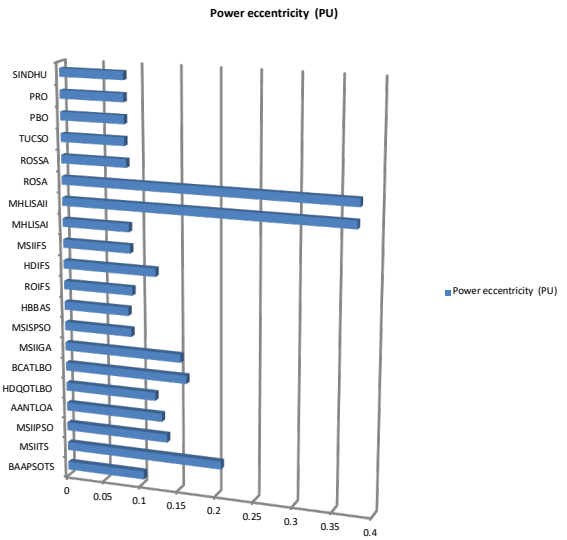


Fig. 5. Assessment of Power eccentricity (IEEE 30 bus system)

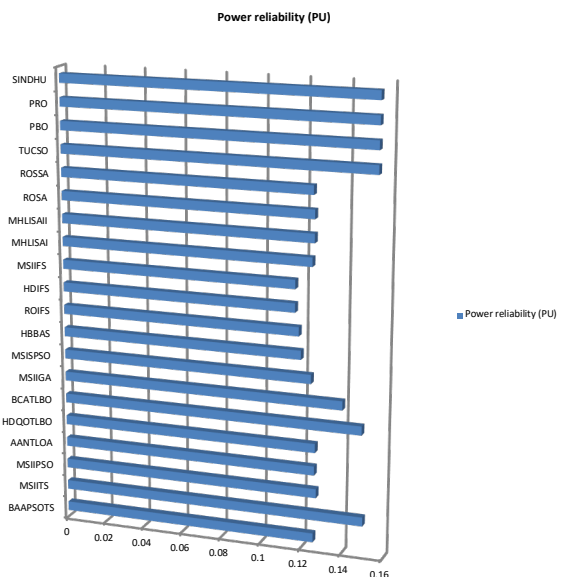


Fig. 6. Assessment of energy reliability (IEEE 30 bus system)

Table 5. Assessment of power loss (IEEE 57 bus system)

Technique	L (MW)	PD(PU)	S(PU)
MHIICOA [7]	22.37600	0.60510	0.251690
MHIICOA1[7]	22.38300	0.61550	0.258300
YRWACA [8]	26.04020	0.73090	0.278900
MHISA [8]	25.38540	0.94000	0.290000
MHIFOA [8]	26.65410	0.79130	0.283100
BICUOA [8]	24.53580	0.67110	0.275700
MHLISAI [10]	26.88000	1.06420	0.261690
MHLISAI [10]	26.92000	1.07200	0.278300
MHIISA [10]	26.97000	1.09120	0.298900
MDOPSO [9]	27.83000	1.10000	0.292000
MDOEPSO [9]	27.42000	0.89600	0.287100
MDFO [11]	24.25000	1.07420	0.278700
MDOGWA [12]	21.17100	1.09200	0.261690
IDGA [13]	25.64000	1.09820	0.288300
MHASO [13]	25.03000	1.12000	0.258900
RDAS [13]	24.90000	1.19600	0.294500
TUCSO	21.07918	0.60342	0.299796
PBO	21.07916	0.60340	0.299797
PRO	21.07894	0.60330	0.299811
SINDHU	21.00012	0.60000	0.299999

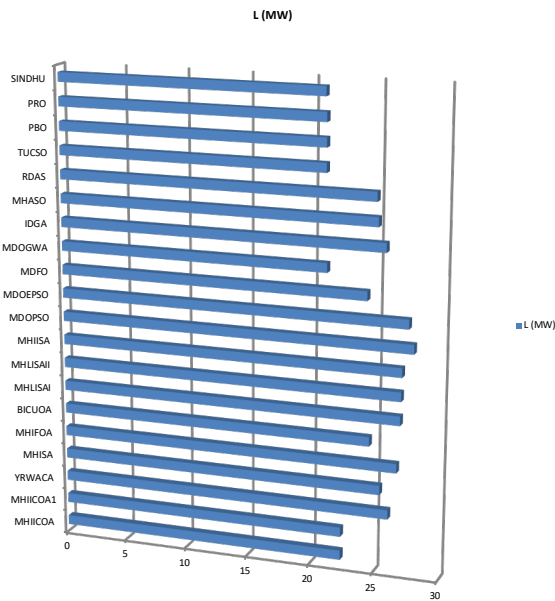


Fig. 7. Assessment of loss (IEEE 57 bus system)

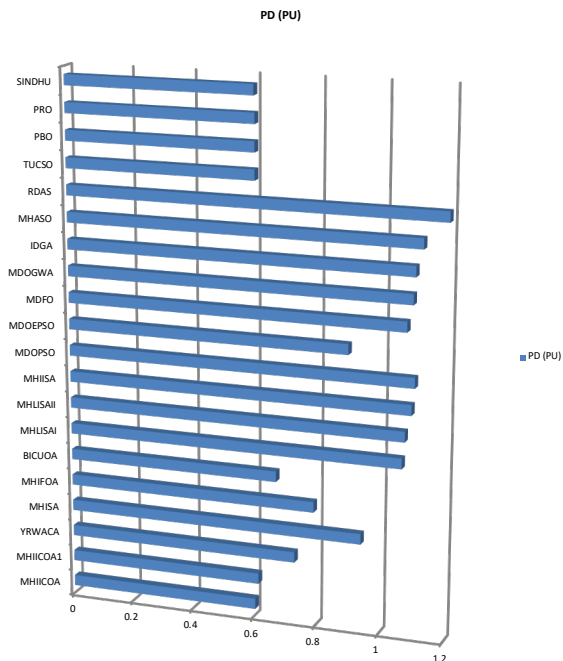


Fig. 8. Assessment of power eccentricity (IEEE 57 bus system)

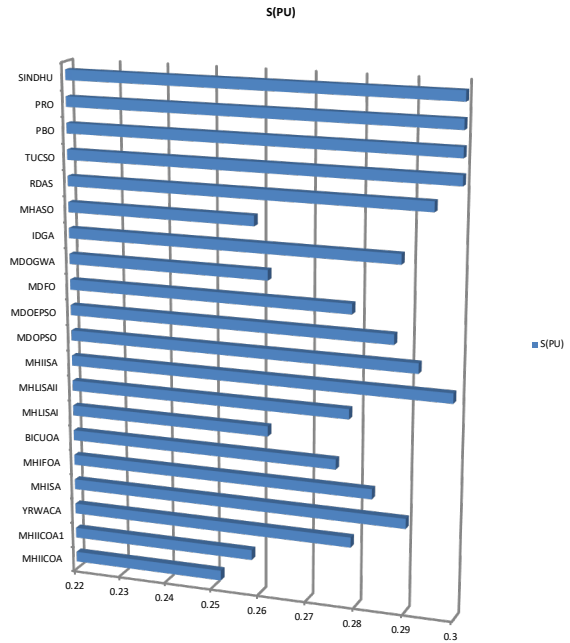


Fig. 9. Assessment of power solidity (IEEE 57 bus system)

Trade union chief selection optimization (TUCSO) algorithm, Population based optimization (PBO) algorithm, Periodic Knowledge acquisition and Replication inspired optimization (PRO) algorithm, Enriched Indus River flow dynamics Optimization Algorithm (SINDHU) are substantiated in IEEE 118 bus system [41]. Table 6 shows the loss evaluation, power eccentricity assessment and reliability valuation. Figs 10 to 12 give the evaluation (L- Loss, PD- Power deviation, S- stability).

Table 6. loss assessment (IEEE 118 bus system)

Technique	L (MW)	PD(PU)	S(PU)
MHIICOA [7]	114.80360	0.1605	0.060610
MHIICOA1[7]	114.86230	0.1608	0.060640
MDWACA [8]	118.32070	0.2315	0.060731
RDSA [8]	125.72880	0.4883	0.063900
IDAFOA [8]	125.68010	0.6061	0.061900
MHCUOA [8]	132.33410	0.2034	0.061230
MHCUOAII[8]	123.68670	0.1928	0.060720
MHCUOAII[8]	126.04260	0.1936	0.060770
PTLISAI [10]	119.79000	0.2819	0.066199
PTLISAI [10]	120.15000	0.2876	0.069230
PTIISA [10]	120.67000	0.2948	0.061720
MHAALCPSO [13]	121.53000	0.2976	0.065770
MHCLEPSO[13]	130.96000	0.2998	0.064199
TUCSO	113.54396	0.1565	0.069898
PBO	113.54393	0.1564	0.069900
PRO	113.54294	0.1536	0.069912
SINDHU	113.43240	0.1501	0.070128

Table 7 and Fig 13 show the time taken by Trade union chief selection optimization (TUCSO) algorithm, Population based optimization (PBO) algorithm, Periodic Knowledge acquisition and Replication inspired optimization (PRO) algorithm, Enriched Indus River flow dynamics Optimization Algorithm (SINDHU)

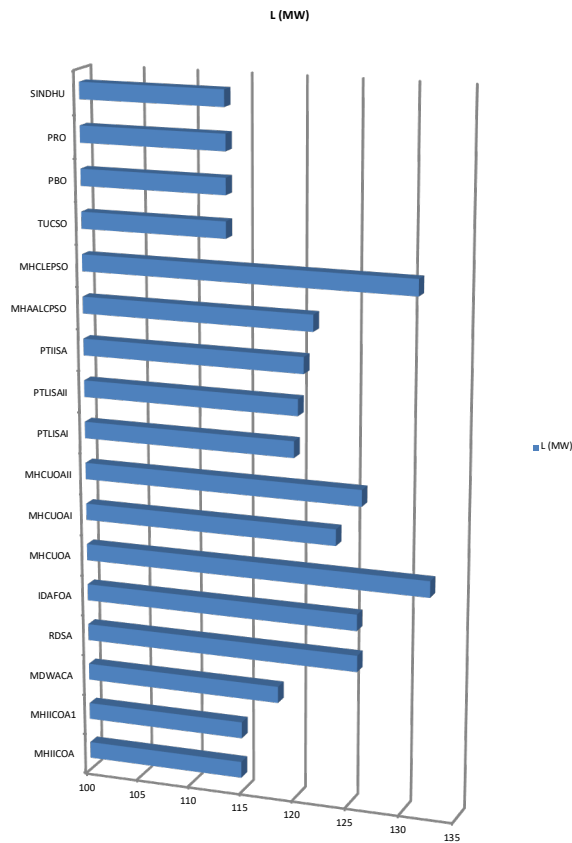


Fig. 10. Assessment of loss (IEEE 118 bus system)

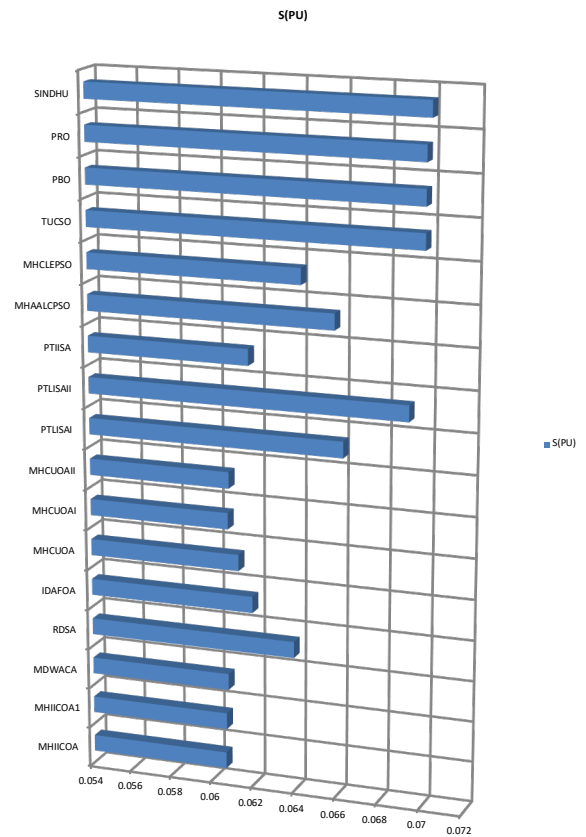


Fig. 12. Appraisal of power solidity (IEEE 118 bus system)

Table 7. Time taken by proposed algorithms

Technique	6-busT (S)	30 bus T (S)	57busT(S)	118 bus T(S)
TUCSO	7.72	20.46	27.88	37.93
PBO	7.71	20.44	27.85	37.91
PRO	7.51	20.12	27.24	37.56
SINDHU	7.48	20.07	27.12	37.39

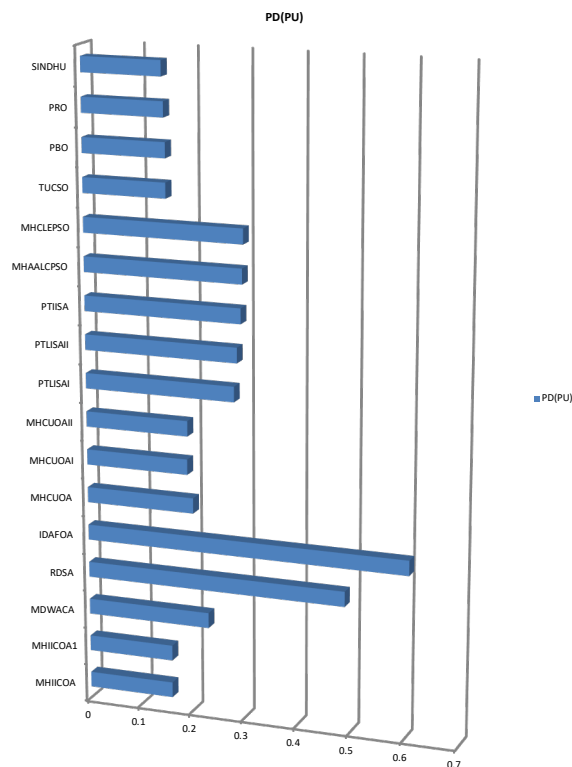


Fig. 11. Assessment of power eccentricity (IEEE 118 bus system)

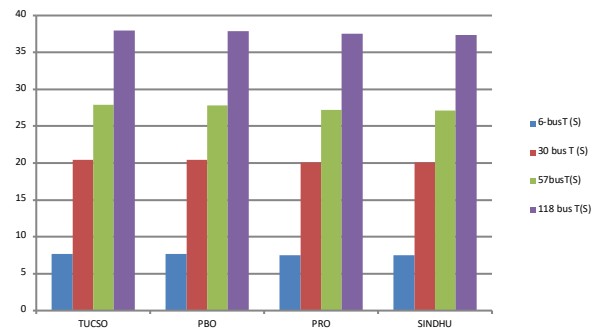


Fig. 13. Time taken by Trade union chief selection optimization (TUCSO) algorithm, Population based optimization (PBO) algorithm, Periodic Knowledge acquisition and Replication inspired optimization (PRO) algorithm, Enriched Indus River flow dynamics Optimization Algorithm (SINDHU)

8. Conclusion

Periodic Knowledge acquisition and Replication inspired optimization (PRO) algorithm, Enriched Indus River flow dynamics Optimization Algorithm (SINDHU) algorithm, Trade union chief selection optimization (TUCSO) algorithm and Population based optimization (PBO)

algorithm are solved the Power loss Engineering problem efficiently.

In PRO Learning and adapting to the situations are more important in the human being life. This work emulates how an individual acquire knowledge and reproduce learned things to solve the problems in day to day life. Teaching and sequential learning, Solution to Contradictory Opinions, Ikigai and Kaizen, Understanding cosmos and Indus river flow Watercourse flow dynamics algorithm are integrated to form the Enriched Indus River flow dynamics Optimization Algorithm (SINDHU), to enhance the search and attaining better solutions.

TUCSO is designed by imitating the elective procedure of the trade union to select the leader. Vital motivation of TUCSO was the elective procedure, the picking the chief, and the influence of the workers alertness level on the electing their own chief for the trade union. TUCSO population is channelled by the examination region under the leadership of the chosen chief. TUCSO procedure is scientifically designed and it is grounded on exploration and exploitation.

In Population based optimization (PBO) algorithm every optimal problem has an appetizing region which defined as Exploration region and it envisaged as a synchronize structure with a numeral of hatchets equivalent to the problem resolution parameters. Populace associates passage in the Exploration region, targeting to touch the suitable optima.

Proposed Periodic Knowledge acquisition and Replication inspired optimization (PRO) algorithm, SINDHU algorithm, Trade union chief selection optimization (TUCSO) algorithm and Population based optimization (PBO) algorithm are verified in G01–G24 benchmark functions, Six and IEEE bus test systems.

In G01–G24 benchmark functions projected Trade union chief selection optimization (TUCSO) algorithm, Population based optimization (PBO) algorithm, Periodic Knowledge acquisition and Replication inspired optimization (PRO) algorithm, Enriched Indus River flow dynamics Optimization Algorithm (SINDHU) performed well and comparison done with Improved Particle swarm optimization algorithm and basic JAYA algorithm.

In Garver's six bus test system, Active power loss (MW) obtained is: TUCSO- 11. 0096, PBO- 11. 0095, PRO- 11. 0059 and SINDHU-11. 0002. Comparison done with other standard reported algorithms.

In IEEE 30 bus system, Active power loss (MW) obtained is: TUCSO- 4.49012, PBO- 4.49010, PRO- 4.49001, and SINDHU- 4.43000. Projected algorithms are compared with other reported algorithms.

In IEEE 57 bus system, Active power loss (MW) obtained is: TUCSO- 21.07918, PBO- 21.07916, PRO- 21.07894, and SINDHU- 21.00012. Proposed algorithms are appraised with other standard algorithms.

In IEEE 118 bus system, Active power loss (MW) obtained is: TUCSO- 113.54396, PBO- 113.54393, PRO- 113.54294, and SINDHU- 113.43240. Designed algorithms are compared with standard procedures.

Over all projected algorithms performed well in reducing the active power loss equally the voltage stability has been enhanced. This show that projected Trade union chief selection optimization (TUCSO) algorithm, Population based optimization (PBO) algorithm, Periodic Knowledge acquisition and Replication inspired optimization (PRO) algorithm, Enriched Indus River flow dynamics Optimization Algorithm (SINDHU) solved the problem efficiently.

Future scope of the work

In future Trade union chief selection optimization (TUCSO) algorithm, Population based optimization (PBO) algorithm, Periodic Knowledge acquisition and Replication inspired optimization (PRO) algorithm, Enriched Indus River flow dynamics Optimization Algorithm (SINDHU) can be applied to the problems in other areas in Engineering and Technology. Mainly algorithms can be used in the medical imaging and diagnostic conditions.

This is an Open Access article distributed under the terms of the Creative Commons Attribution License.



References

- [1] A. Nasser Hussain, A. Abdulabbas Abdullah, and O. Muhammed Neda, "Optimal capacitor sizing for reactive power optimization by using a new hybrid algorithm based on merging of chaotic strategy with PSO algorithm", *J. Eng. Appl. Sci.*, vol. 14, no. 7, pp. 2112–2123, Dec. 2019.
- [2] S. Mouassa, T. Bouktir, and A. Salhi, "Ant lion optimizer for solving optimal reactive power dispatch problem in power systems", *Eng. Sci. Technol. Int. J.*, vol. 20, no. 3, pp. 885–895, Jun. 2017.
- [3] B. Mandal and P. K. Roy, "Optimal reactive power dispatch using quasi-oppositional teaching learning based optimization", *Int. J. Electr. Power Energy Syst.*, vol. 53, pp. 123–134, Dec. 2013.
- [4] A. H. Khazali and M. Kalantar, "Optimal reactive power dispatch based on harmony search algorithm", *Int. J. Electr. Power Energy Syst.*, vol. 33, no. 3, pp. 684–692, Mar. 2011.
- [5] Z. Li, Y. Cao, L. Van Dai, X. Yang, and T. T. Nguyen, "Finding solutions for optimal reactive power dispatch problem by a novel improved ant lion optimization algorithm", *Energies*, vol. 12, no. 15, p. 2968, Aug. 2019.
- [6] J. Polprasert, W. Ongsakul, and V. N. Dieu, "Optimal reactive power dispatch using improved pseudo-gradient search particle swarm optimization", *Electr. Power Compon. Syst.*, vol. 44, no. 5, pp. 518–532, Aug. 2016.
- [7] T. L. Duong, M. Q. Duong, V.-D. Phan, and T. T. Nguyen, "Optimal reactive power flow for large-scale power systems using an effective metaheuristic algorithm", *J. Electr. Comput. Eng.*, vol. 2020, pp. 1–11, Mar. 2020.
- [8] H. S. Ahirwar and L. Srivastava, "Minimization of real power losses of transmission lines and improvement of voltage stability in power system using recurring MODE algorithm", *J. Inst. Eng. (India) Ser. B*, vol. 103, no. 2, pp. 525–540, Jul. 2022.
- [9] P. Singh, R. Arya, L. S. Titare, and L. D. Arya, "Optimal load shedding to avoid risks of voltage collapse using black hole algorithm", *J. Inst. Eng. (India) Ser. B*, vol. 102, no. 2, pp. 261–276, Jan. 2021.
- [10] K. Nagarajan, "Multi-objective optimal reactive power dispatch using Levy Interior Search Algorithm", *Int. J. Electr. Eng. Inform.*, vol. 12, no. 3, pp. 547–570, Sep. 2020.
- [11] M. Weisberg and J. Duffin, "Evoking the moral imagination: Using stories to teach ethics and professionalism to nursing, medical, and law students", *J. Med. Humanit.*, vol. 16, no. 4, pp. 247–263, Jun. 1995.
- [12] Y. Zhang, W. Wei, S. Xie, and Z. Wang, "Brain storm optimization algorithm with an adaptive parameter control strategy for finding multiple optimal solutions", *Int. J. Comput. Intell. Syst.*, vol. 16, no. 160, pp. 1–17, Sep. 2023.

- [13] L. Chang and A. Mantooth, "Brainstorming for game-changing ideas", *IEEE Power Electron. Mag.*, vol. 9, no. 4, pp. 35–37, Dec. 2022.
- [14] Y. Hou, H. Wang, Y. Fu, K. Gao, and H. Zhang, "Multi-Objective brain storm optimization for integrated scheduling of distributed flow shop and distribution with maximal processing quality and minimal total weighted earliness and tardiness", *Comput. Ind. Eng.*, vol. 179, Art. No. 109217, May 2023.
- [15] W. Li, H. Luo, and L. Wang, "Multifactorial brain storm optimization algorithm based on direct search transfer mechanism and concave lens imaging learning strategy", *J. Supercomput.*, vol. 79, no. 6, pp. 6168–6202, Oct. 2023.
- [16] B. W. Carroll and D. A. Ostlie, *An introduction to modern astrophysics*. Cambridge University Press, 2017.
- [17] S. Das, A. Verma, and P. R. Bijwe, "Transmission network expansion planning using a modified artificial bee colony algorithm", *Int. Trans. Electr. Energy Syst.*, vol. 27, no. 9, Art No..e2372, May 2017.
- [18] M. J. Rider, A. V. Garcia, and R. Romero, "Power system transmission network expansion planning using AC model", *IET Gener. Transm. Distrib.*, vol. 1, no. 5, pp. 731 - 742, Sep. 2007.
- [19] A. Mahmoudabadi, M. Rashidinejad, and M. Zeinaddini-Maymand, "A new model for transmission network expansion and reactive power planning in a deregulated environment", *Engineering*, vol. 04, no. 02, pp. 119–125, Feb. 2012.
- [20] S. Asadamongkol and B. Eua-arporn, "Transmission expansion planning with AC model based on generalized Benders decomposition", *Int. J. Electr. Power Energy Syst.*, vol. 47, pp. 402–407, May 2013.
- [21] M. T. Mouwafi, A. A. A. El-Ela, R. A. El-Sehiemy, and W. K. Al-Zahar, "Techno-economic based static and dynamic transmission network expansion planning using improved binary bat algorithm", *Alex. Eng. J.*, vol. 61, no. 2, pp. 1383–1401, Feb. 2022.
- [22] A. A. El-Ela, M. Mouwafi, and W. Al-Zahar, "Optimal transmission system expansion planning via binary bat algorithm," in *2019 21st Int. Mid. East Power Sys. Conf. (MEPCON)*, Aug. 2019.
- [23] J. Derrac, S. García, D. Molina, and F. Herrera, "A practical tutorial on the use of nonparametric statistical tests as a methodology for comparing evolutionary and swarm intelligence algorithms", *Swarm Evol. Comput.*, vol. 1, no. 1, pp. 3–18, Mar. 2011.
- [24] A. S. Alghamdi, "Optimal power flow of renewable-integrated power systems using a Gaussian bare-bones Levy-flight firefly algorithm", *Front. Energy Res.*, vol. 10, May 2022.
- [25] S. Sreejith, V. Suresh, and P. Ponnambalam, "Static economic dispatch incorporating UPFC using artificial bee colony algorithm", in *Adv. in Intelligent Sys. and Comp.*, Singapore: Springer Singapore, pp. 757–769, Mar. 2016.
- [26] C. Venkaiah and D. M. Vinod Kumar, "Fuzzy adaptive bacterial foraging congestion management using sensitivity based optimal active power re-scheduling of generators", *Appl. Soft Comput.*, vol. 11, no. 8, pp. 4921–4930, Dec. 2011.
- [27] D. T. Phan, "Lagrangian duality and branch-and-bound algorithms for optimal power flow", *Oper. Res.*, vol. 60, no. 2, pp. 275–285, Apr. 2012.
- [28] E. Anitha and J. Aravindhar D, "Efficient retinal detachment classification using hybrid machine learning with levy flight-based optimization," *Expert Syst. Appl.*, vol. 239, Art. No. 122311, Apr. 2024.
- [29] S. Ngeh., "Travel-associated SARS-CoV-2 transmission documented with whole genome sequencing following a long-haul international flight", *J. Travel Med.*, vol. 29, no. 6, pp. 1 – 7, May 2022.
- [30] M. Kumano, "On the concept of well-being in japan: Feeling shiawase as hedonic well-being and feeling ikigai as eudaimonic well-being", *Appl. Res. Qual. Life*, vol. 13, no. 2, pp. 419–433, May 2018.
- [31] A. C. Zeferino, G. N. Santos, T. L. Queiroz, and J. R. S. Ramos, "Evaluation of the application of continuous improvement based on the Kaizen concept in Emergency Healthcare Units," *Rev. Meta Aval.*, Vol. 3, pp. 1 - 22, Jun. 2023.
- [32] M. Weisberg and J. Duffin, "Evoking the moral imagination: Using stories to teach ethics and professionalism to nursing, medical, and law students", *J. Med. Humanit.*, vol. 16, no. 4, pp. 247–263, Jun. 1995.
- [33] Y. Zhang, W. Wei, S. Xie, and Z. Wang, "Brain storm optimization algorithm with an adaptive parameter control strategy for finding multiple optimal solutions", *Int. J. Comput. Intell. Syst.*, vol. 16, no. 160, pp. 1 - 17, Sep. 2023.
- [34] L. Chang and A. Mantooth, "Brainstorming for game-changing ideas", *IEEE Power Electron. Mag.*, vol. 9, no. 4, pp. 35–37, Dec. 2022.
- [35] W. Li, H. Luo, and L. Wang, "Multifactorial brain storm optimization algorithm based on direct search transfer mechanism and concave lens imaging learning strategy", *J. Supercomput.*, vol. 79, no. 6, pp. 6168–6202, Oct. 2023.
- [36] W. Hernandez, A. Viviescas, and C. A. Riveros-Jerez, "Water-structure interaction analysis of a segmental bridge using ambient vibration testing at different water levels", *J. Civ. Struct. Health Monit.*, Vol. 13, pp. 1483 – 1497, Sep. 2022.
- [37] N. Iqbal, F. Hossain, H. Lee, and G. Akhter, "Satellite gravimetric estimation of groundwater storage variations over Indus basin in Pakistan", *IEEE J. Sel. Top. Appl. Earth Obs. Remote Sens.*, vol. 9, no. 8, pp. 3524–3534, Jun. 2016.
- [38] A. A. El-Ela, M. Mouwafi, and W. Al-Zahar, "Optimal transmission system expansion planning via binary bat algorithm," in *2019 21st Int. Mid. East Power Sys. Conf. (MEPCON)*, Aug. 2019.
- [39] S. Sreejith, V. Suresh, and P. Ponnambalam, "Static economic dispatch incorporating UPFC using artificial bee colony algorithm", in *Adv. in Intelligent Sys. and Comp.*, Singapore: Springer Singapore, pp. 757–769, Mar. 2016.
- [40] C. Venkaiah and D. M. Vinod Kumar, "Fuzzy adaptive bacterial foraging congestion management using sensitivity based optimal active power re-scheduling of generators", *Appl. Soft Comput.*, vol. 11, no. 8, pp. 4921–4930, Dec. 2011.
- [41] D. T. Phan, "Lagrangian duality and branch-and-bound algorithms for optimal power flow", *Oper. Res.*, vol. 60, no. 2, pp. 275–285, Apr. 2012.